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A SUBSONIC METHOD FOR PREDICTING THE
SEPARATION TRAJECTORIES OF AIRCRAFT
STORES IN THE PITCH PLANE

Joseph M. Manter

Air Force Institute of Technology
Wright-Patterson Air Force Base, Ohio

September 1974

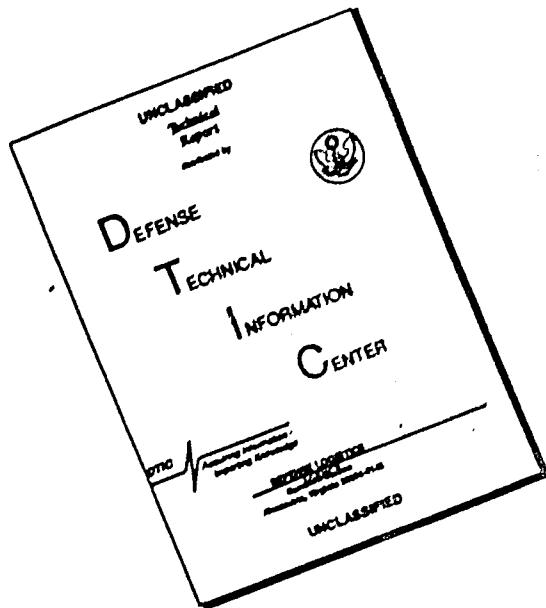
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Thesis

GAE/AE/74S-4 Joseph M. Manter

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A SUBSONIC METHOD FOR PREDICTING THE
SEPARATION TRAJECTORIES OF AIRCRAFT
STORES IN THE PITCH PLANE

THESIS

Presented to the Faculty of the School of Engineering
of the Air Force Institute of Technology
Air University
in Partial Fulfillment of the
Requirements for the Degree of
Master of Science

by

Joseph M. Manter, B.S.A.A.E.
Graduate Aeronautical Engineering

September 1974

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Preface

My main objective in this study was to develop a sub-sonic three-degree-of-freedom store separation prediction method which could incorporate, when available, experimentally determined, free-air, store static stability data. I am very satisfied with the results I have obtained with this method and I am hopeful that this longitudinal analysis of the separation problem will serve as a precursor to a six-degree-of-freedom analysis.

I would like to express my sincere gratitude for the assistance I received during the course of this study. I especially would like to thank my independent study advisor, Dr. Milton Franke, for his advice and guidance. I would also like to acknowledge my other two faculty advisors, Major Carl Stolberg and Captain James Karam for their constructive criticism. I owe a special debt of gratitude to Mr. Cal Dyer and Mr. Jerry Jenkins, both of AFFDL/FGC, for introducing me to the store separation problem and assisting me in the computation and analysis of theoretical data from existing methods. Finally, I would like to express my deepest appreciation to my wife, Ruth, for her patience and understanding, and to my daughters Jenny Lynn and Jill Kathleen for the time I took from them during these past twelve months.

Joseph M. Manter

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List of Symbols

| <u>Symbol</u> | <u>Description</u> |
|------------------|--|
| b | Store reference dimension, ft |
| C_A | Store axial force coefficient, axial force/ $\frac{1}{2} \rho_\infty V_{store}^2 S_{ref}$ |
| C_m | Store pitching moment coefficient, referenced to store center of gravity, pitching moment/ $\frac{1}{2} \rho_\infty V_{store}^2 S_{ref} b$ |
| $C_{m,DAMP}$ | Store pitching moment coefficient due to aerodynamic damping |
| C_{mq} | Store pitch damping derivative, $dC_m/d(qb/2 V_{store})$ |
| C_N | Store normal force coefficient, normal force/ $\frac{1}{2} \rho_\infty V_{store}^2 S_{ref}$ |
| F_A | Sum of forces acting on store in axial direction, 1b |
| $F_{AERO,A}$ | Sum of aerodynamic forces acting on store in axial direction, 1b |
| $F_{AERO,N}$ | Sum of aerodynamic forces acting on store in normal direction, 1b |
| F_{fa} | Free-air force acting on store in normal direction, 1b |
| F_{int} | Interference force acting on store in normal direction, 1b |
| F_N | Sum of forces acting on store in normal direction, 1b |
| F_{z1}, F_{z2} | Ejector force due to ejectors one and two, respectively, 1b |
| F_ξ, F_η | Sum of forces acting on store in ξ and η directions, respectively, 1b |

| <u>Symbol</u> | <u>Description</u> |
|------------------------|---|
| g | Acceleration due to gravity, ft/sec/sec |
| I_{yy} | Store moment of inertia about store y-axis, slug-ft ² |
| k | Store radius of gyration about store y-axis, ft |
| ℓ_{x1}, ℓ_{x2} | Ejector one and ejector two piston location distances relative to store center of gravity position forward of store center of gravity, ft |
| M_{AERO} | Pitching moment acting on store taken about store center of gravity, positive nose up, due to static aerodynamic forces, ft-lb |
| M_{DAMP} | Pitching moment acting on store taken about store center of gravity, positive nose up, due to aerodynamic damping, ft-lb |
| m_s | Store mass, slugs |
| M_θ | Sum of pitching moments on store taken about store center of gravity, positive nose up, ft-lb |
| q | Store angular velocity about store y-axis, rad/sec |
| S_{ref} | Store reference area, ft ² |
| V_{store} | Store total velocity, ft/sec |
| V_∞ | Free stream velocity, ft/sec |
| X | x-separation distance of store center of gravity in fuselage wind-axis system, measured relative to store carriage position, ft |
| X_{CG} | Store center of gravity position, measured from nose of store, ft |
| X_{L1}, X_{L2} | Ejector piston location of ejectors one and two, respectively, positive forward of store center of gravity, ft |
| X_s, Y_s, Z_s | Store coordinate axes, ft |

| <u>Symbol</u> | <u>Description</u> |
|---------------------------|---|
| Z | z-separation distance of store center of gravity in fuselage wind-axis system, measured relative to store carriage position, ft |
| $Z_{E_{MAX}}$ | Maximum ejector stroke travel, ft |
| α_B | Aircraft angle of attack, degrees |
| γ_B | Aircraft flight path angle, degrees |
| γ_S | Store flight path angle, degrees |
| θ | Store pitch angle, positive nose up, degrees |
| $\ddot{\theta}$ | Store pitching acceleration, $d^2\theta/dt^2$, rad/sec/sec |
| ξ, η | Coordinates of store center of gravity in fuselage coordinate system, see Fig. 2, ft |
| $\ddot{\xi}, \ddot{\eta}$ | Accelerations of store center of gravity, relative to fuselage, ft/sec/sec |
| ρ_∞ | Air density at simulated altitude, slugs/ft ³ |

Abstract

A subsonic three-degree-of-freedom method for predicting store separation trajectories is presented. The method combines the calculation of interference loading on aircraft stores due to F. Dan Fernandes with loads due to free air, ejector, and aerodynamic damping. Discussion of these loads is given, along with a presentation of the three-degree-of-freedom equations of motion and an approach to their solution. A computer program is developed and used to calculate trajectories for the M-117 bomb as carried on the inboard pylon of the F-4E. Comparisons of these trajectory profiles with wind tunnel captive-trajectory test results and existing theory are made. A user's guide and computer listing, excluding those subroutines due to F. Dan Fernandes, are given. Recommendations are made for possible improvements to the newly developed method.

A SUBSONIC METHOD FOR PREDICTING THE
SEPARATION TRAJECTORIES OF AIRCRAFT
STORES IN THE PITCH PLANE

I. Introduction

Problem

Today's aircraft are required to carry, and subsequently to release, many types of stores under many different flight conditions. The first 0.5 to 1.0 seconds is usually the critical period in determining a successful ejection under a given flight condition. An analytical method of predicting store separation trajectories during this critical time period is needed to serve as a preliminary design tool and to augment existing prediction methods.

Background

Store separation has been a matter of concern since the first World War I pilot attempted to throw a projectile from his open-canopied aircraft onto his enemy below. However, because of the relatively slow speeds of early flight, clearance from parent aircraft posed no great threat until the advent of the jet. At this time in aerial history, pilots were required to release externally carried stores from aircraft flying at higher and higher speeds (Ref 12:1,2).

Prediction techniques which have been developed are generally divided into three categories: full-scale flight testing, wind tunnel, and theoretical methods. Full-scale

flight testing has an obvious drawback in high costs, but, more importantly, can be quite hazardous to the pilot and his aircraft. Wind tunnel methods, including the simulated trajectory (Ref 2) and grid techniques (Ref 1), have proved to provide satisfactory results. However, because the only Air Force tunnel equipped for these techniques is scheduled many months in advance and because the already expensive costs of operating any wind tunnel is increasing, these methods cannot always be applied to present-day problems.

Theoretical methods have only recently been considered as an alternative to the first two approaches. While many authors have developed analytical methods of calculating flow fields under an aircraft (Ref 12:5-19), Goodwin, Nielsen, and Dillenius (Ref 7) and Goodwin, Dillenius, and Nielsen (Ref 8) have applied these analytical methods in developing the most comprehensive technique for computing separation trajectories. Fernandes (Refs 3 and 4), has devised methods for determining the interference loading on an aircraft store in the flow field of a parent aircraft. His development is incorporated in the present work.

Objective

The objective of this study is to develop a three-degree-of-freedom method to predict the separation trajectory of an aircraft store upon release from a parent aircraft flying at subsonic speeds. While previously developed techniques (Refs 7 and 8) have been entirely analytical in nature,

a goal of this study is to permit the use of experimental static stability data, when available, to determine the free-air loads on the store.

Another intent of this study is to allow the simulation and, therefore, the integrated effects, of a two-point ejector system in calculating the trajectory of an aircraft store. This again contrasts previously developed techniques which do not simulate the ejector, but account for it in initial conditions which must be calculated before trajectory calculations can begin.

A shortcoming of previously developed methods is the large computer time necessary to simulate the separation trajectories of aircraft stores. A third purpose for undertaking this study is to write a FORTRAN computer program which will require reasonable computer execution time to simulate the trajectories of ejected stores.

Finally, it is expected that the three-degree-of-freedom store separation prediction method will serve as a precursor to a six-degree-of-freedom method.

Approach

The method used to calculate separation trajectories is straightforward. Interference normal forces and pitching moment coefficients on the ejected store are determined using portions of Fernandes' subsonic interference loading program (Ref 3). Predetermined free-air normal force and pitching moment coefficients, obtained either by experiment

or any suitable theory, are then added to the interference loads. This sum, along with a predetermined axial force coefficient which remains constant throughout the trajectory, constitutes the total aerodynamic loading on the store. Next, normal force and pitching moment coefficients due to the store ejector system, when operating, are determined. Finally the pitching moment coefficient due to damping is calculated using a predetermined, from experiment or theory, pitch damping coefficient. All force and moment coefficients are then summed and a new position is determined by integrating the three-degree-of-freedom equations of motion. The process is repeated until clearance from the parent aircraft is assured.

II. Discussion of Loads on the Store

Interference Loads

Interference pitching moment and normal force coefficients are calculated using portions of the F. Dan Fernandes subsonic interference loading program (Ref 3). The calculation of the interference flow field by this method entails a linear theory of source, vortex, and doublet distributions. The aircraft wing, pylon, inlet and fuselage nose are modeled using various combinations of these distributions, the strengths of which are calculated by satisfying boundary conditions (no flow normal to the body surface) at various control points on the body. Disturbance velocities are then calculated over the length of the store as functions of these strengths and distances to the field point under consideration. From these disturbance velocities an interference angle-of-attack field can be determined. Interference forces and moments are then calculated by integrating the effects of this variable interference angle-of-attack field over the length of the store using predetermined (by experiment or theory provided by Fernandes) free-air body loading coefficients per unit angle-of-attack per unit length. Concurrently, the interference static pressure field over the length of the store is calculated and then integrated to yield the loading due to buoyancy on the store (Ref 3:5, E-1). Compressibility effects are included by applying the Prandtl-Glauert rule (Ref 3:A-1). Details on the interference

loading method are given by Fernandes (Ref 3).

Although Fernandes' program calculates five interference force and moment coefficients (normal force, side force, pitching moment, rolling moment, and yawing moment coefficients), the present method uses only two (pitching moment and normal force coefficients) because it is a three-degree-of-freedom analysis only. Interference axial force coefficient is not calculated by the Fernandes method and so this interference force is not accounted for in the present method.

Free-Air Loads

The calculation of total static aerodynamic loads on the store is completed with the addition of free-air loads to those interference loads determined by the Fernandes method. Free-air normal force and pitching moment coefficients are not calculated by the present method and, therefore, must be obtained before using it, usually as functions of store angle of attack and store Mach number. The free-air axial force coefficient must also be obtained before using the present method and is assumed constant throughout the trajectory simulation. Data may be obtained from experimental sources (as was done for the sample case considered in this report--see Chapter V) or from any suitable analytical method, such as USAF DATCOM (Ref 10, Sec 4).

Ejector Loads

Calculation of ejector normal forces and pitching moments is quite similar to the method used by Christopher and Carleton (Ref 2:32-33). Modifications were necessary to allow ejector force curves either as a function of ejector foot distance or as a function of time. In addition calculation of ejector normal force and pitching moment coefficients are made to permit comparisons of those ejector coefficients with corresponding interference and free-air coefficients.

The present method requires the ejector force-distance or force-time curves to be in the form of a fifth degree polynomial, the same form used by Christopher and Carleton (Ref 2:32). Two such curves are allowed to accommodate a two-point ejector system. In addition, the distance away from the center-of-gravity of the store at which each ejector is assumed to act must be known to calculate ejector moments on the store.

Pitching Moment Due to Damping

To account for the change in pitching moment due to aerodynamic damping, a pitch damping coefficient, required by the present method, must be known. According to Christopher and Carleton, the consideration of pitching moment due to aerodynamic damping is usually a second order effect, so any reasonable estimate for pitch damping coefficient, C_{mq} , should satisfy the requirements of the present method. Should the store exhibit large oscillatory motions,

however, this effect could become significant in which case consideration should be given to obtaining experimental values for C_{mq} or running trajectory sensitivity studies varying possible values for C_{mq} in order to determine its significance on the trajectory of the store under study (Ref 2:9).

The actual calculation of pitching moment coefficient due to aerodynamic damping is a simple one once C_{mq} , $dC_m/d(qb/2 V_{store})$, is known:

$$C_{m_{DAMP}} = C_{mq} \cdot qb/2 V_{store} \quad (1)$$

where

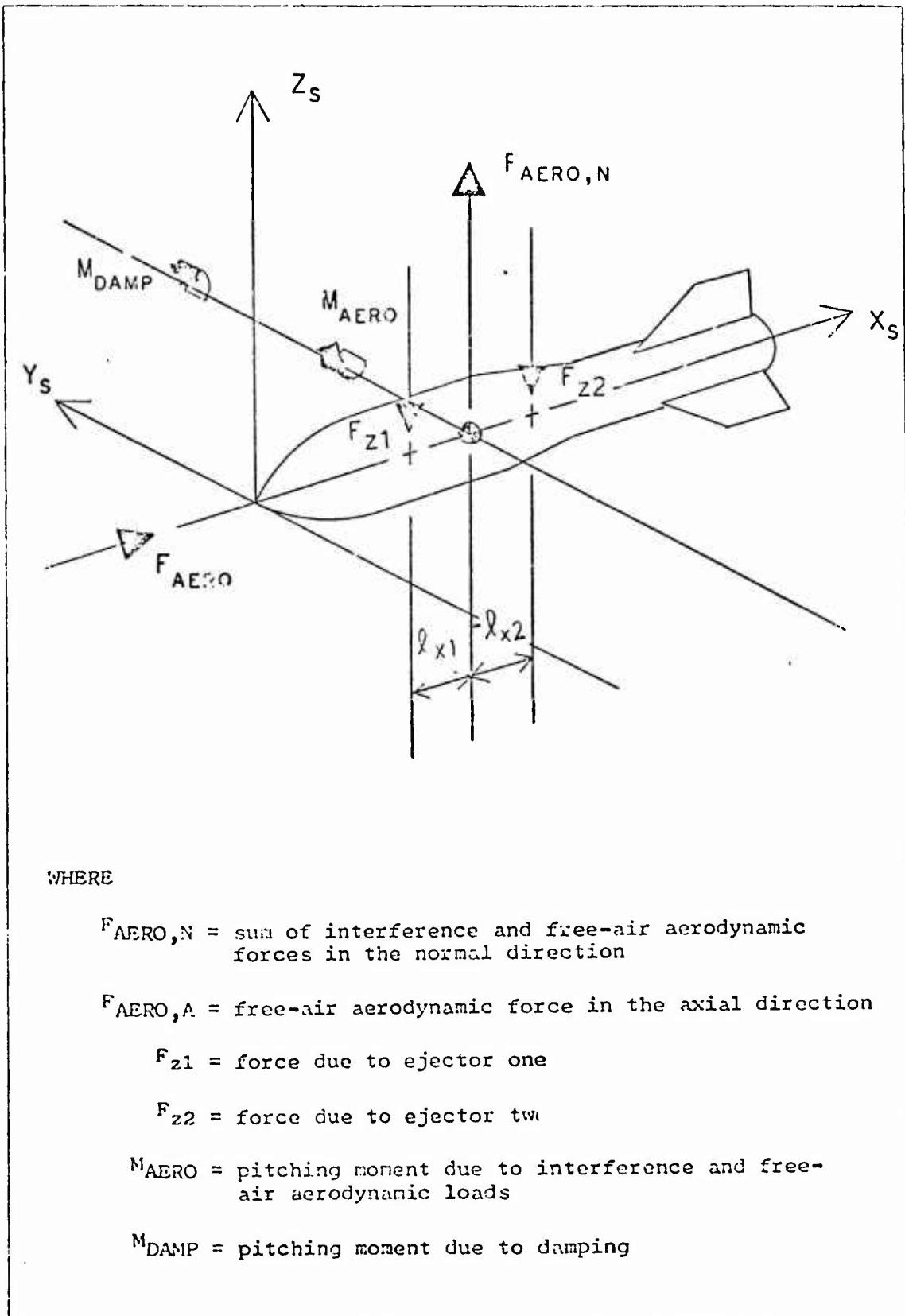
q = store pitch rate

b = store reference length

V_{store} = absolute store total velocity.

Total Loads on the Store

The total normal force load on the store is given by the sum of the loads due to interference, free-air, and ejector systems. The total axial force load on the store is computed using the predetermined axial force coefficient. The total pitching moment on the store is simply the sum of the moments due to interference, free-air, ejector system, and aerodynamic damping. These loads are illustrated in Fig. 1, in the coordinate system fixed in the ejected store.



WHERE

$F_{AERO, N}$ = sum of interference and free-air aerodynamic forces in the normal direction

$F_{AERO, A}$ = free-air aerodynamic force in the axial direction

F_{z1} = force due to ejector one

F_{z2} = force due to ejector two

M_{AERO} = pitching moment due to interference and free-air aerodynamic loads

M_{DAMP} = pitching moment due to damping

Fig. 1. Forces and Moments on the Store in the Store Axis System.

III. Integration of Forces and MomentsEquations of Motion

The form of the three-degree-of-freedom equations of motion presented in this chapter was taken from Goodwin, Nielsen, and Dillenius (Ref 7:78-84). In place of the Goodwin method for calculating forces and moments on the store, however, the calculation of forces and moments by the present method, including free-air loading, interference loading, aerodynamic damping, and ejector loading, is used.

The inertial frame (ξ, η) for this treatment is fixed with the aircraft, hence the flight conditions must be non-accelerating. The aircraft, therefore, is assumed to fly at a constant flight path angle, γ_B , free stream velocity, V_∞ , and angle of attack, α_B . Figure 2 illustrates this inertial coordinate system and the initial orientation of the store in it.

The longitudinal equations of motion in this coordinate system are:

$$m_s \ddot{\xi} = F_\xi \quad (2)$$

$$m_s \ddot{\eta} = F_\eta \quad (3)$$

$$m_s k^2 \ddot{\theta} = M_\theta \quad (4)$$

Now the forces on the store in the ξ -direction and η -direction, F_ξ and F_η , can be found by properly resolving

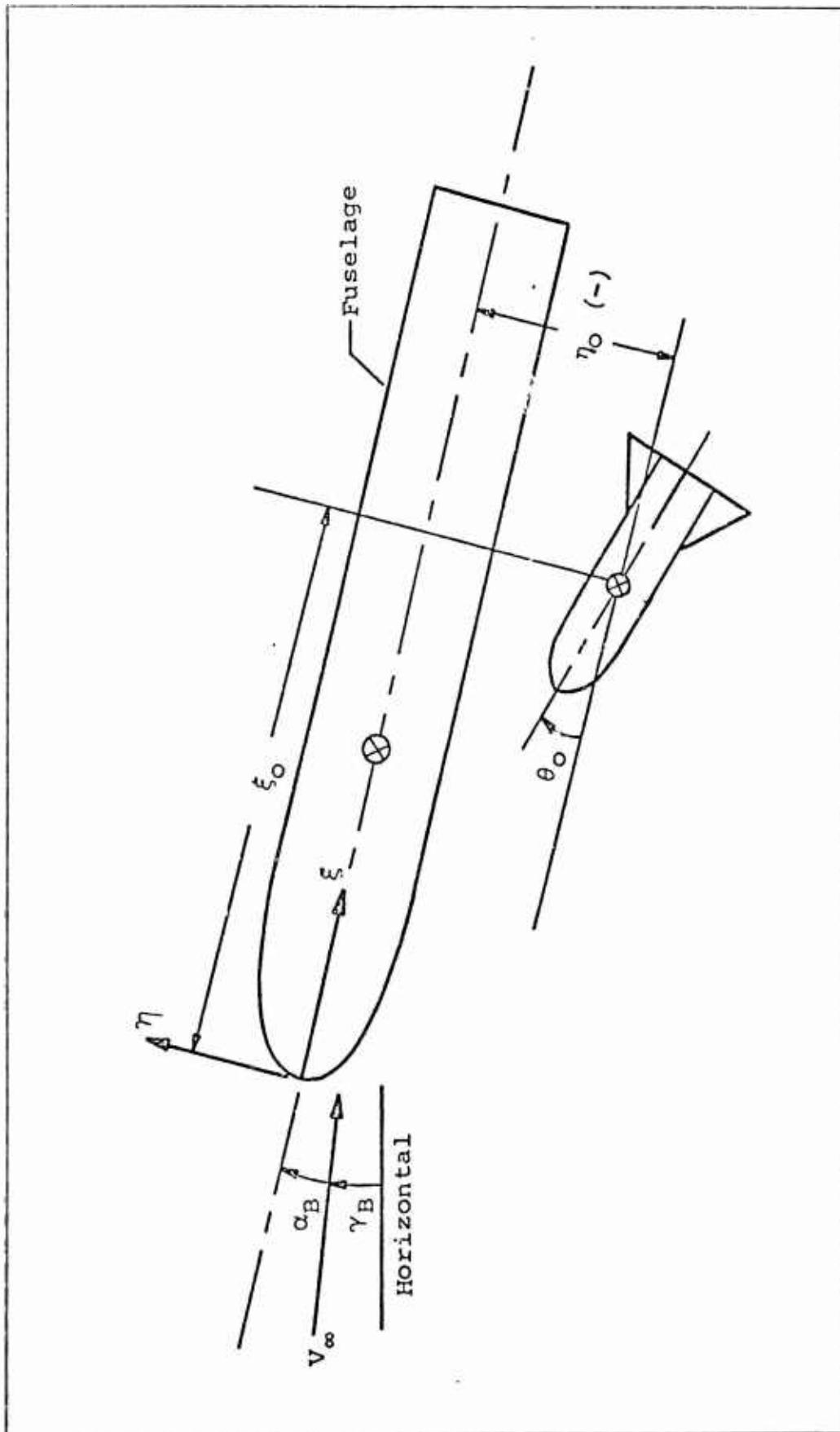


Fig. 2. Inertial Coordinate System Used for Trajectory Calculations (taken from Ref 7).

forces along the store axis system into the inertial frame.

The force normal to the store is simply

$$F_N = F_{\text{int}} + F_{fa} + F_{z1} + F_{z2} \quad (5)$$

The axial force on the store is given by

$$F_A = C_A \frac{1}{2} \rho_{\infty} V_{\text{store}}^2 S_{\text{ref}} \quad (6)$$

The resolved forces are, then

$$F_{\xi} = F_N \sin \theta + F_A \cos (\alpha_B + \gamma_B - \gamma_S) + m_s g \sin (\alpha_B + \gamma_B) \quad (7)$$

$$F_{\eta} = F_N \cos \theta + F_A \sin (\alpha_B + \gamma_B - \gamma_S) - m_s g \cos (\alpha_B + \gamma_B) \quad (8)$$

where γ_S is the flight path angle of the store, which is different from γ_B if wind tunnel captive trajectory tests are to be simulated (Ref 7:84-85).

Noting that $C_N = F_N / (\frac{1}{2} \rho_{\infty} V_{\text{store}}^2 S_{\text{ref}})$ and substituting Eqs (7) and (8) into Eqs (2) and (3), the first two equations of motion become

$$\ddot{\xi} = \frac{1}{2} \rho_{\infty} V_{\text{store}}^2 (S_{\text{ref}} / m_s) [C_N \sin \theta + C_A \cos (\alpha_B + \gamma_B - \gamma_S)] + g \sin (\alpha_B + \gamma_B) \quad (9)$$

$$\ddot{\eta} = \frac{1}{2} \rho_{\infty} V_{\text{store}}^2 (S_{\text{ref}} / m_s) [C_N \cos \theta + C_A \sin (\alpha_B + \gamma_B - \gamma_S)] - g \cos (\alpha_B + \gamma_B) \quad (10)$$

Substitution of $C_m = M_{\theta} / (\frac{1}{2} \rho_{\infty} V_{\text{store}}^2 S_{\text{ref}})$ into Eq (9) yields the third longitudinal equation of motion

$$\ddot{\theta} = \frac{1}{2} \rho_{\infty} V_{\text{store}}^2 (S_{\text{ref}} b / r_s k^2) C_m \quad (11)$$

where C_m is the sum of the interference, free-air, ejector one, ejector two, and pitch damping moment coefficients.

Equations (9), (10), and (11) are, except for slight changes in notation, exactly those equations derived by Goodwin, Nielsen, and Dillenius (Ref 7:79-80).

Integration Techniques

Equations (9), (10), and (11) must be integrated in order to calculate new store positions as well as angular and linear velocities and accelerations of the store at each time of interest. The method used for integration is a standard fourth-order predictor-corrector technique, utilizing a Runge-Kutta scheme to calculate intermediate steps, and was taken from Goodwin, et al. The method is introduced in their three-degree-of-freedom report (Ref 6:26) and explained in detail in their six-degree-of-freedom report (Ref 9:139-142, 219-221).

Actual integration of the equations of motion may be started at any desired time, provided the correct initial conditions, store position and linear and angular velocities, are known. The forces and moments are calculated using methods outlined in Chapter II, then a new position is found by integrating Eqs (9), (10), and (11) into which have been substituted the calculated values for C_m and C_N . The process is then repeated until clearance is assured.

IV. Computer Program

Computer Memory and Execution Time Requirements

A FORTRAN computer program was developed for the present method. It is operational on the CDC 6600 computer with the SCOPE 3.4 operating system and library tape and requires about 60000 octal storage registers for loading. Execution time varies greatly, depending on how much detail is taken in describing the geometry of the parent aircraft, how many store sections are considered for computing interference loading, the time step size chosen for integration of the equations of motion, and the computational mode desired for this integration. Execution time for the trajectory simulations of the M-117 bomb from an F-4E are listed in Chapter V and discussion of computational modes in Appendix A.

Overview of Computer Program

The bulk of the computer program consists of twenty-six subroutines taken from Fernandes (Ref 5), all necessary in computing the interference loading on the aircraft stores. In addition, the predictor-corrector subroutine necessary for integration of the equations of motion, subroutine ADAMS, was taken from Goodwin (Ref 6).

The user of the computer program must supply his own subroutine, FREAIR, whose purpose is to calculate the free-air pitching moment and normal force coefficients on the store, given the store angle of attack and Mach number.

The main program whose primary purpose is to organize calculations by calling necessary subroutines, calls two other subprograms, TRREAD and TRAJEC. The purpose of subroutine TRREAD is to read in values of store geometry, store mass characteristics, ejector characteristics, pitch damping coefficient, axial force coefficient, and aircraft flight conditions necessary for separation calculations. This subroutine also initiates values of the dependent variables, store position and pitch angle, and linear and angular velocities required for integration of the equations of motion.

The purpose of subroutine TRAJEC is to accept store position and interference loads, calculate free-air loads, ejector loads, and pitch damping, sum all loads and output them. It then integrates the equations of motion and returns a new store position and orientation to the main program.

A user's guide for the computer program is presented in Appendix B and a listing of the program, with the exception of those 26 subroutines taken from Fernandes (Ref 5), is provided in Appendix C. A few minor changes to those Fernandes subroutines, necessary to pass interference coefficients to the main program and to avoid extraneous output, are also listed in Appendix C. The computer codes for the Fernandes subroutines themselves are available through COSMIC (Computer Software Management and Information Center). Requests should be directed to: COSMIC, University of Georgia 30601.

V. Results and DiscussionsSimulated M-117 Trajectories

Sample trajectories were calculated using the present method and the Goodwin method (Ref 8) for the M-117 all-purpose bomb ejected from the F-4E aircraft on the 81.50 (inboard) pylon. A sketch of the M-117 bomb is shown in Fig. 3 and its aerodynamic, mass, and geometric characteristics used in theoretical calculations are listed in Table I (Ref 10:25,100).

Table I

Full-Scale M-117 Parameters

| Parameter Name | Parameter Value |
|------------------------|-----------------|
| m_s , slugs | 25.45 |
| x_{CG} , feet | 2.333 |
| x_L , feet | -0.3417 |
| $z_{E_{max}}$, feet | 0.275 |
| S_{ref} , sq ft | 1.395 |
| b , ft | 1.333 |
| C_A | 0.1 |
| I_{YY} , slugs-sq ft | 50.0 |
| C_{mq} , per rad | -70.0 |

The M-117 bomb was chosen for a sample calculation because experimental data on free-air stability characteristics (Ref 13:25) were available and, under certain flight

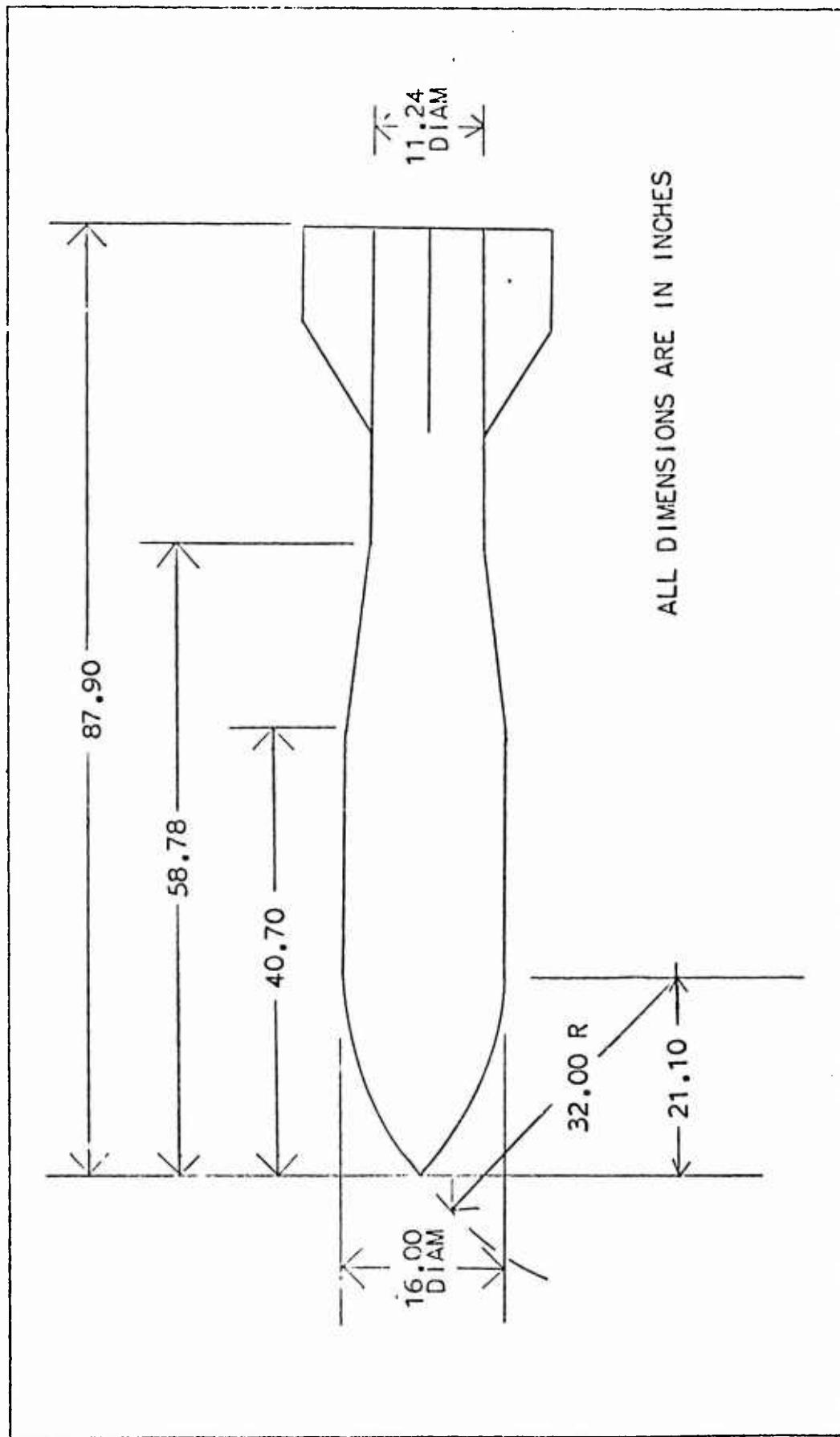


Fig. 3. Sketch of the M-117 All-Purpose Bomb.

conditions and ejector loads, the M-117 exhibited small lateral (yaw angle and y-direction) excursions.

Experimental trajectories were taken from an AEDC wind tunnel report whose author investigated the effects of wing leading-edge slats on the separation characteristics of various stores as carried on the F-4E (Ref 11). That same wind tunnel investigation modeled separation trajectories from the F-4E aircraft without leading edge modifications and it is those baseline trajectories to which the theoretical results are compared.

The ejector force-distance curve used in the present method was taken from the same AEDC wind tunnel report and is shown in Fig. 4.

Comparison of Store Trajectories

Figures 5, 6, 7 and 8 exhibit X and Z coordinates, relative to carriage position, of the center of gravity of the store, as well as the absolute pitch angle of the store as seen in the fuselage wind-axis system. Results from experiment and both the present method as well as the method due to Dillenius, et al. (Ref 8) are shown.

As illustrated in Fig. 5 both methods predicted the experimental results remarkably well for the low speed, moderate angle-of-attack case (Mach = 0.332, α = 7.40), with the present method doing slightly better in position prediction and the previously developed method predicting pitch angle excursions more accurately. In Fig. 6, however, while linear

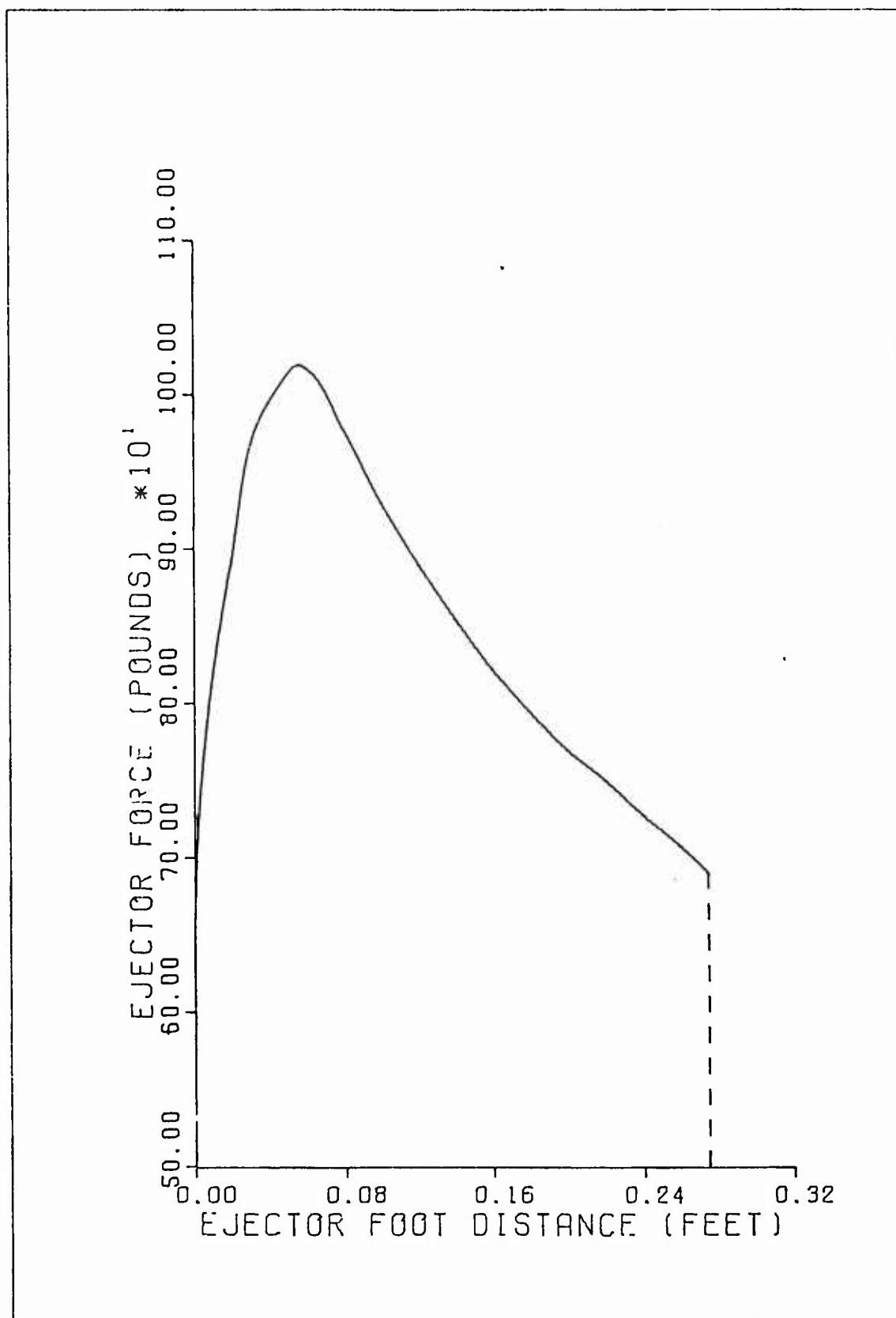


Fig. 4. Ejector-Force Function for the M-117 Bomb.

MACH = 0.332
 ALPHA = 7.400

○ EXPERIMENT, AEDC-TR-71-232
 — THEORY, PRESENT METHOD
 - - THEORY, REFERENCE 8

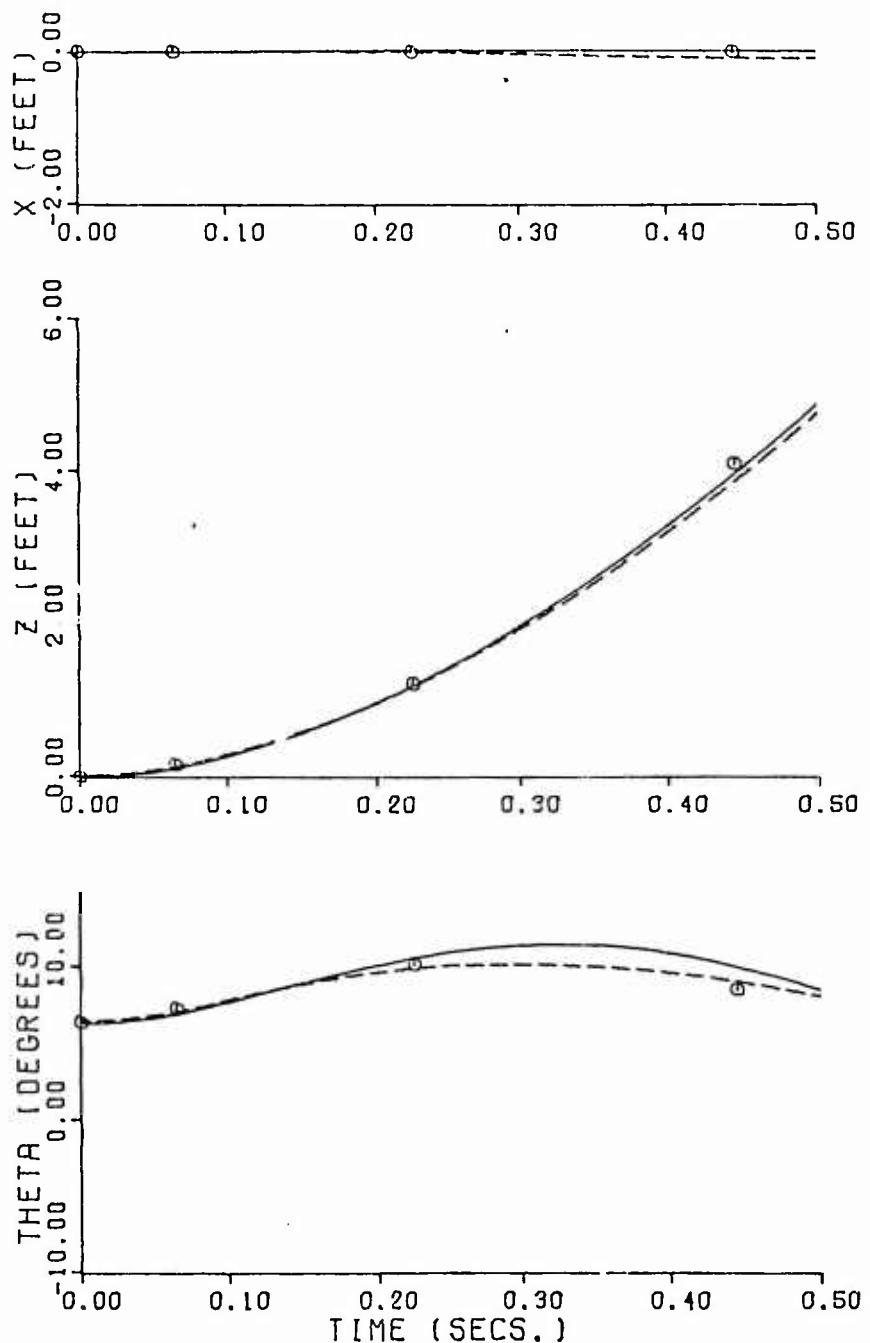


Fig. 5. Simulated Separation Characteristics of the M-117 Bomb.

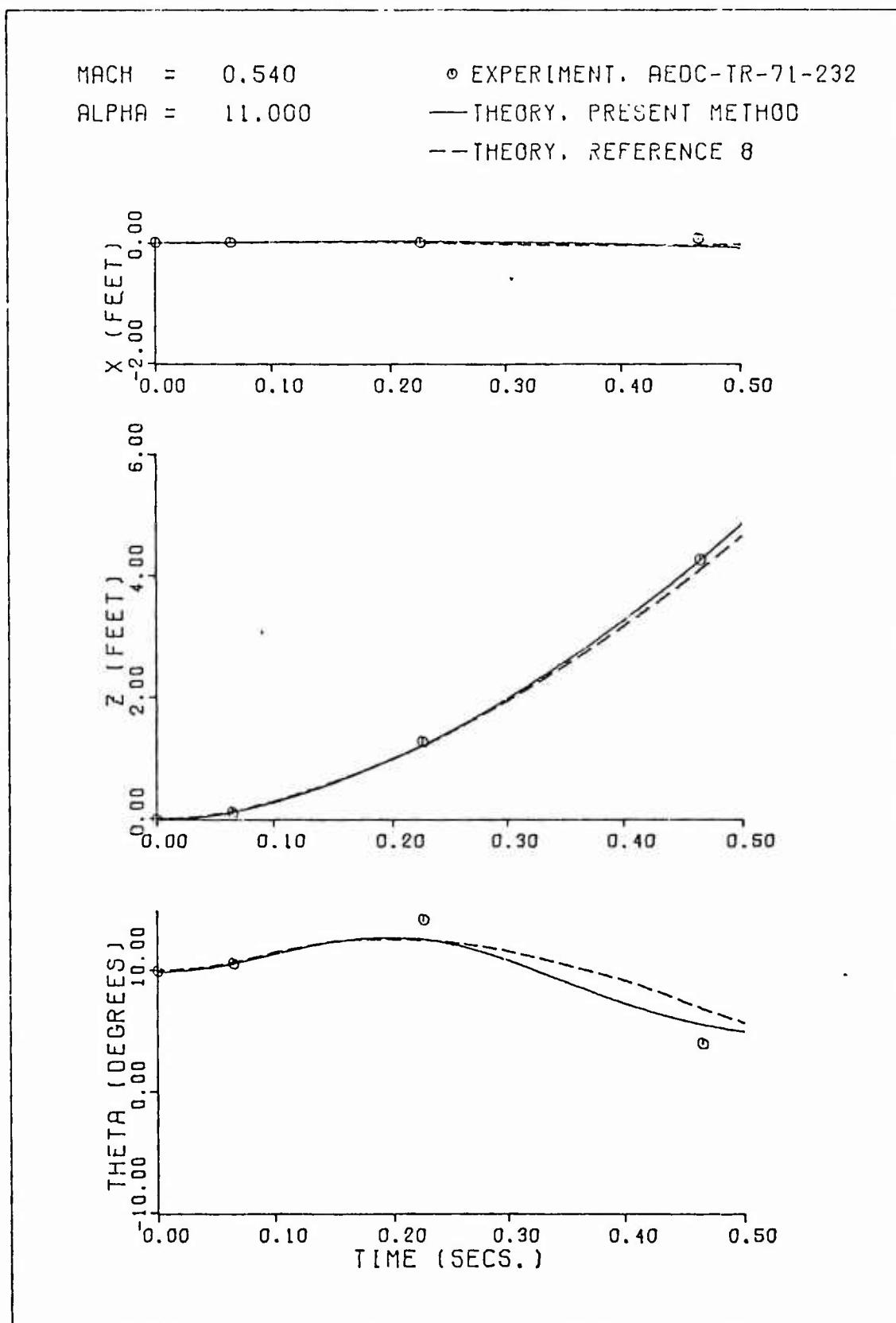


Fig. 6. Simulated Separation Characteristics of the M-117 Bomb.

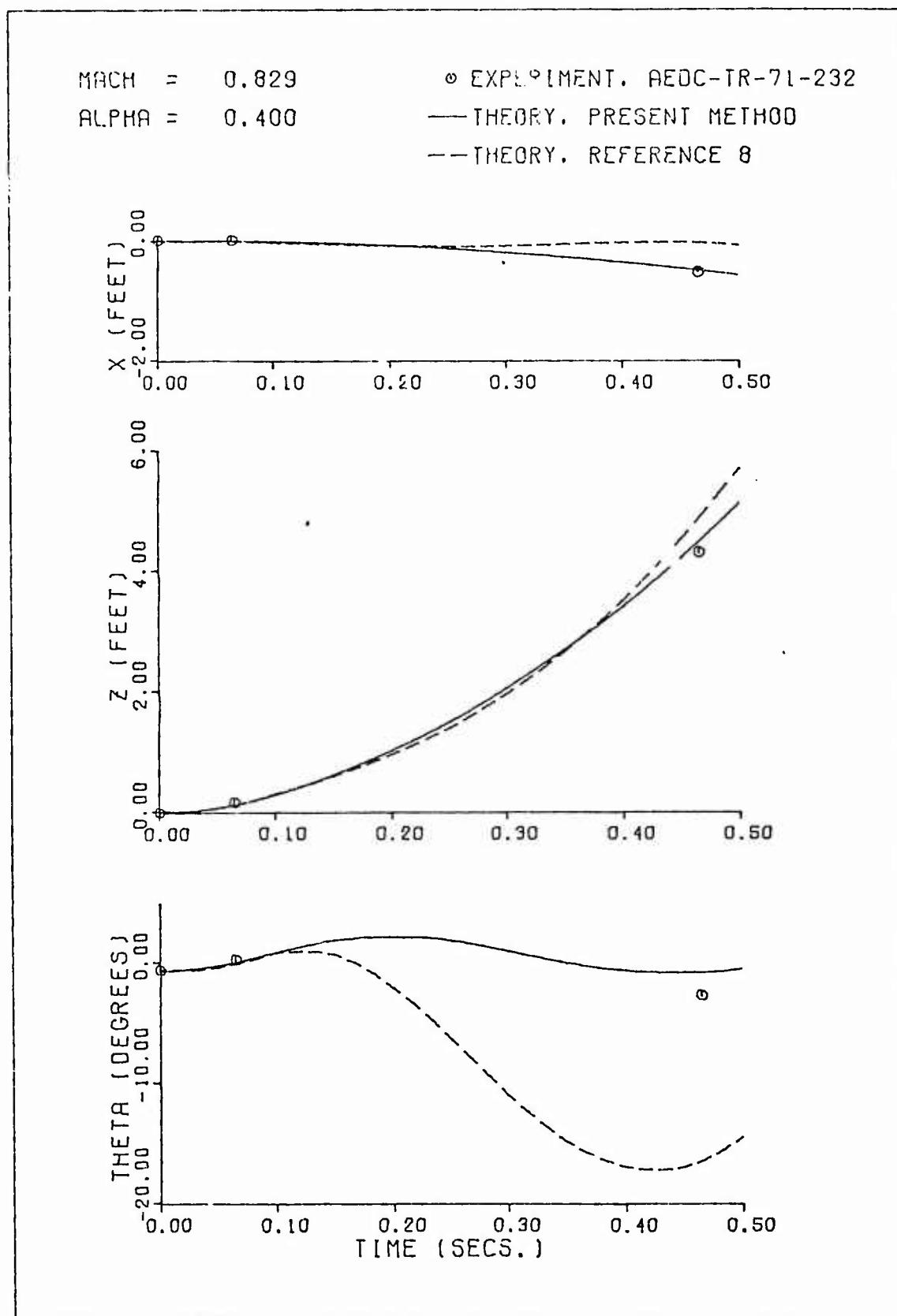


Fig. 7. Simulated Separation Characteristics of the M-117 Bomb.

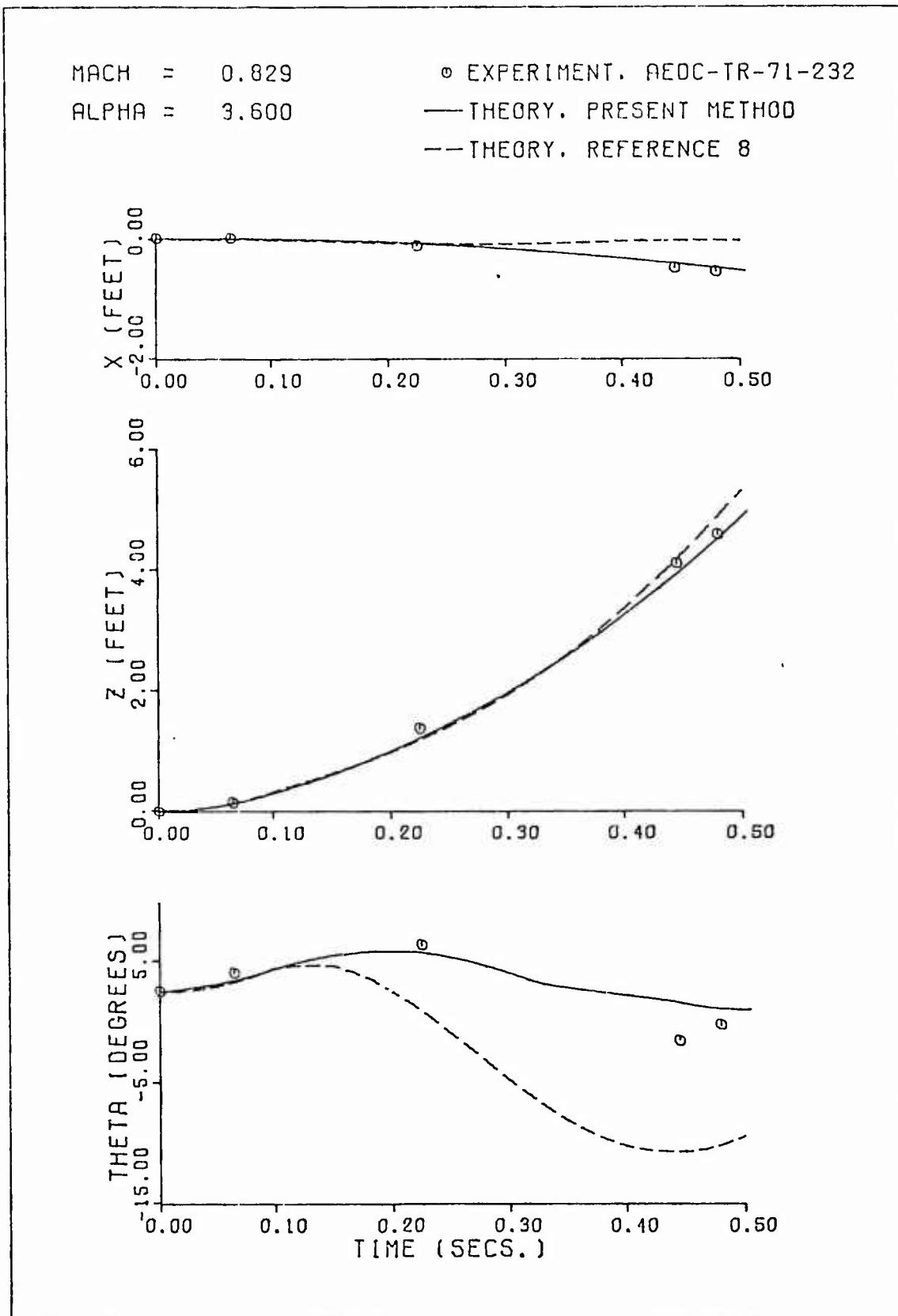


Fig. 8. Simulated Separation Characteristics of the M-117 Bomb.

distance vs. time curves are again estimated quite well, the pitch angle calculation is not as close to experiment as in the previous case. It is difficult to conjecture which method predicts pitch angle better, since both indicate the damped sinusoidal pitch angle profile common to stable stores, but the trajectory due to the present method has a shorter period of pitch oscillation than does the trajectory due to the Goodwin method (Ref 8).

For the high speed case (Mach = 0.829), Figs. 7 and 8 show interesting results. While the present method again predicts linear travel quite well and pitching angle reasonably well, the method obtained from Ref 8 shows a definite deviation from experiment slightly after ejector time cut-off (about 0.08 seconds). A Mach number equal to 0.829 results, more than likely, in a supercritical flow-field situation, thus violating a basic assumption of the method (Ref 8), that conditions modeled are to be at subcritical speeds only, thereby rendering the results calculated at the high speeds invalid.

The application of the present method to relatively high Mach numbers (0.829) might also be construed as a violation of the subcritical speed restriction placed on the Fernandes method. While technically this is true, there is no such restriction on the other sources of store loading, so the present method can be pushed past the normal critical speed (about Mach = 0.7 to 0.8) with relative safety provided the free-air loading is known with some confidence.

Reasons for the excellent agreement of the present method with experiment are many, one of which is certainly the acceptable results the Fernandes method for calculating interference forces and moments seems to produce (Ref 3:13-21). Good results for total aerodynamic loading is assured by the fact that the experimental free-air data was available to add to the analytically predicted interference loads.

Store loading due to ejector forces and due to aerodynamic damping are modeled in the present work exactly as they are in the AEDC tunnel tests and as a result should introduce no error into calculations of store trajectories. In the case of the ejector forces at low speeds, this effect can be quite significant because, when operating, the ejector forces tend to overwhelm the aerodynamic forces. Figure 9 illustrates this point for the low speed (Mach = 0.332) case. At higher aircraft speeds, however, the aerodynamic forces are greater and do not, in general, dominate the ejector forces, as indicated in Fig. 10 for the Mach = 0.829 case.

A final reason for satisfactory results is the fact that the M-117 is a very dense store. Dense stores have higher inertial-to-aerodynamic-loads ratios than do lighter weight stores of the same general shape and so are not "blown around" as easily as their lighter weight counterparts.

Comparison of Computer Execution Time

The execution times required by the computer program utilizing the present method can be directly compared to that

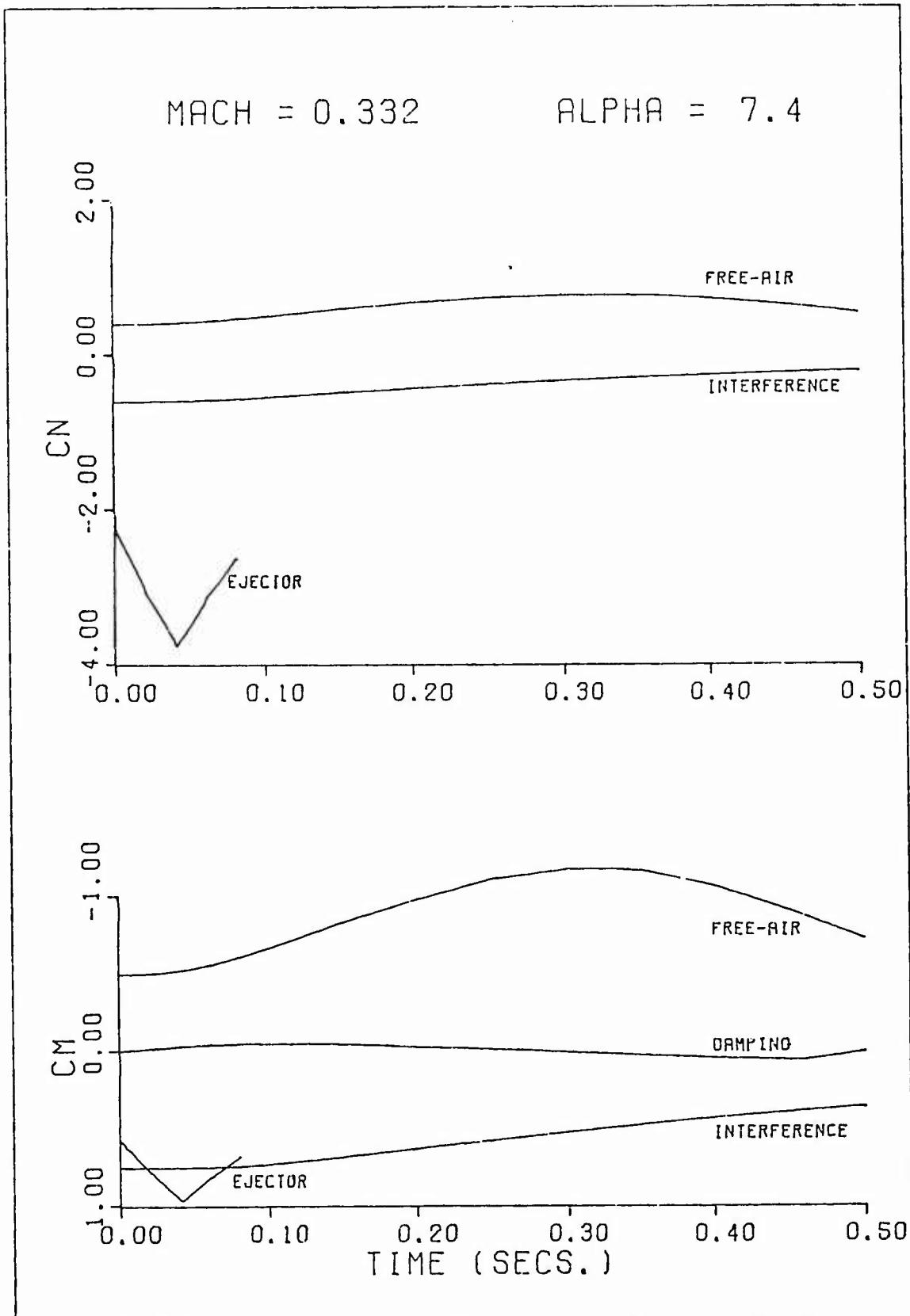


Fig. 9. Comparison of Loads on the M-117 Bomb for the Low Speed Case.

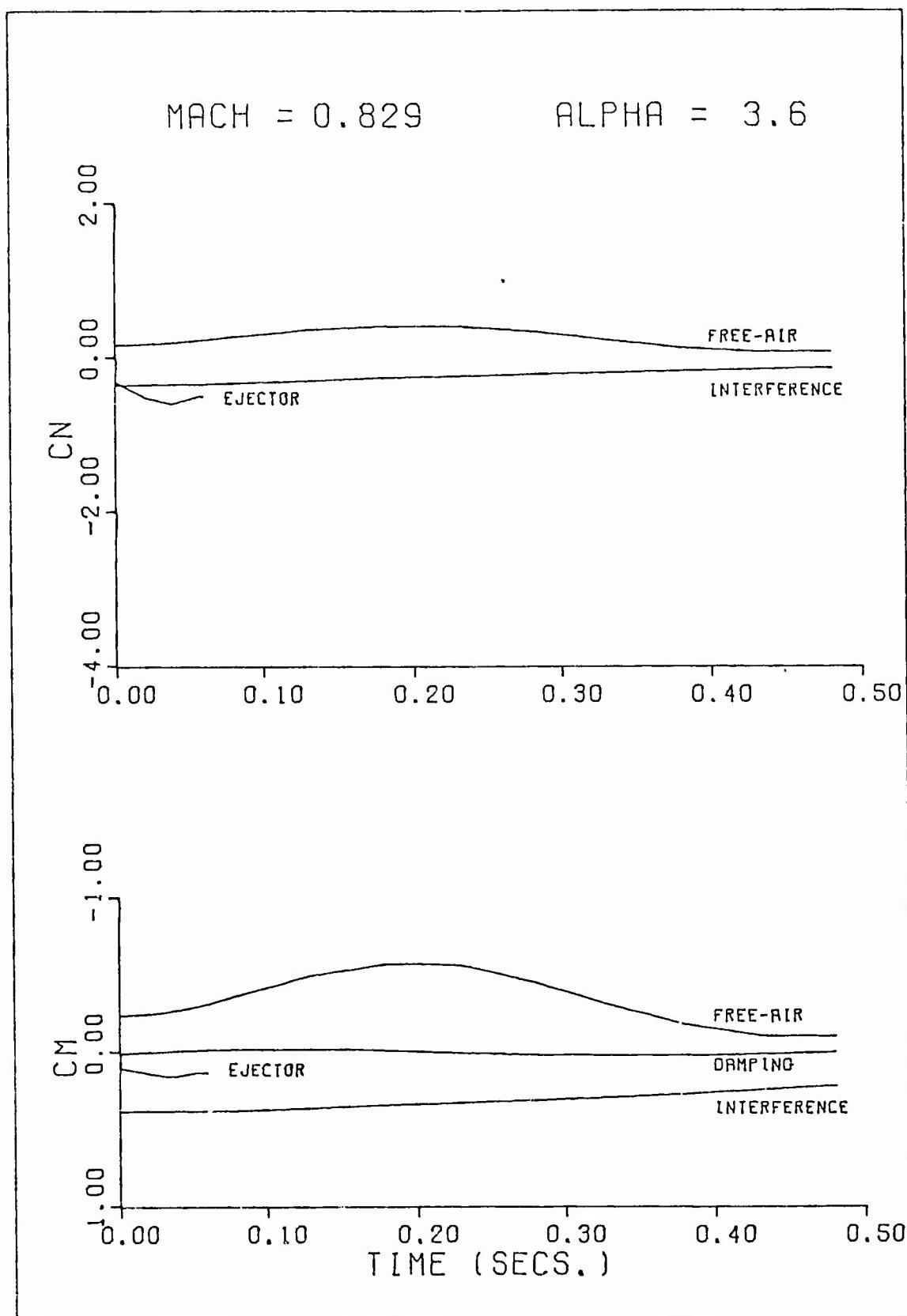


Fig. 10. Comparison of Loads on the M-117 Bomb for the High Speed Case.

of the computer program written by Goodwin and Dillenius (Ref 9). Two different execution times are listed in Table II for the present method, illustrating the two computational modes available in its corresponding computer program. These

Table II

| <u>Comparison of CDC 6600 Computer Execution Time</u> | | | | | |
|---|-------|-------|--------------------------------|-----------|--------------|
| | | | Computer Execution Time (secs) | | |
| Case | Mach | Alpha | KSTABLE=0 | KSTABLE=1 | Ref 8 Method |
| 1 | 0.332 | 7.4 | 98 | 30 | 205 |
| 2 | 0.540 | 11.0 | 98 | 67 | 204 |
| 3 | 0.829 | 0.4 | 142 | 46 | 209 |
| 4 | 0.829 | 3.6 | 142 | 43 | 210 |

computational modes, KSTABLE=0 and KSTABLE=1, yield essentially the same store trajectories and are explained in detail in Appendix A. Examination of Table II reveals that the present method yields some dramatic savings in computer execution time, while losing no noticeable accuracy in trajectory simulation at low and moderate speeds, and actually extending the speed regimes for reasonably accurate trajectory simulation to higher subsonic speeds than those allowed by the Goodwin method (Ref 8).

Both computer programs are operational on the CDC 6600 computer with the SCOPE 3.4 operating system and library

tape. The program due to Goodwin (Ref 9), which was modified to restrict movement to the pitch plane only, requires about 114000 octal storage registers for loading. The program written using the present method requires about 60000 octal store registers for loading.

VI. Conclusions and Recommendations

Conclusions

Results from the present prediction method compared well with experimental results for store trajectories which exhibit minimal lateral characteristics. Although previously developed trajectory prediction techniques (Refs 7 and 8) and the method used in the present work to calculate interference loads are limited to the subcritical speed regime, the present method may be used with some confidence past the subcritical cut-off because experimental data used to calculate free-air loads on the store is usually available for supercritical speeds. In addition, the method used to calculate the loads due to the ejector system is not limited to any aircraft speed regime, so the method used to calculate ejector loads may also be used supercritically.

A substantial improvement in computer execution time was realized with the present method over the method due to Goodwin, Dillenius, and Nielsen (Ref 8). This savings was even greater for the KSTABLE=1 mode, discussed in Appendix A, although all store trajectory simulations may not be suitable to allow the use of that time-saving feature.

Regardless of how well the present method predicts the three-degree-of-freedom trajectory of an aircraft store, its engineering practicality is limited because it is a three, not a six, degree-of-freedom analysis. Should the store trajectory under investigation not be suited to a pitch-plane

analysis, or should experimental store static stability data not be available, the six-degree-of-freedom analysis due to Goodwin, Dillenius, and Nielsen (Ref 8) should be used.

Recommendations

As alluded to above, the first obvious extension of the present method would be one to accommodate the other three degrees of freedom (side force, yawing moment, and rolling moment). While this sounds straightforward, consideration of all six degrees of freedom compounds problems immensely and should not be viewed lightly. Goodwin, Dillenius, and Nielsen (Ref 8) have completed this task using their theory for calculating store loading, so much of their work could again be utilized. However, as yet, the Fernandes method does not allow consideration of a yawed store so considerable modification to his method must be completed.

In addition, improvement to the Fernandes method itself could be attempted. Of particular interest would be to allow some consideration of wing-body interference, addition of an arbitrarily shaped representation of the fuselage, and the addition of other bodies to account for store-to-store interference. A method similar to Goodwin, et al. (Ref 7:20-22) would be the simplest to employ in order to get a first order effect for wing-fuselage and store-to-store interference.

In that method, an induced camber on the wing is calculated to cancel the effect of the fuselage changing the boundary

conditions on the wing when the two independent solutions, wing and body, are superimposed.

Thirdly, the rack could be modeled, possibly as a distribution of axisymmetric sources (Ref 8:20) or, as suggested by Goodwin, et al. (Ref 8:20), a combination distribution of axisymmetric sources to account for rack thickness and a small system of vortices to account for the short wing-like stubs which normally protrude from most bomb racks.

Another area which typically gets little consideration is the elastic effect on the rack and, consequently, the net force felt by the store due to the extremely high ejector forces common to most store-ejector systems.

Finally, consideration should be made to the development of a supersonic three or six-degree-of-freedom trajectory program. Fernandes (Ref 4) has written a companion program to his subsonic interference loading program which will compute interference loads on a store in the flow field of an aircraft flying at supersonic speeds. His supersonic method could be incorporated into a new technique in a manner quite similar to that developed here.

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Appendix A

Computational Modes Available in the
Computer Program

A standard fourth-order predictor-corrector technique was used to integrate the equations of motion. At the onset, and at each subsequent change in step size of the integration routine, Runge-Kutta calculations are made to determine intermediate values of the dependent variables. Large computer execution times were introduced because at each major and each intermediate time step all forces and moments must be calculated according to the methods outlined in Chapter II. Calculation of interference forces and moments, as might be expected, required the most amount of time, on the order of two seconds per store position for a typical fighter-bomber. To alleviate this problem a parameter, KSTABLE, may be input with the value of 1. This will suppress the calculation of interference loadings at each intermediate time step, thereby reducing computational time significantly. The resultant savings in computational time for the trajectory simulation examined in this study is listed in Table II of Chapter V.

Some care should be exercised in choosing which computational mode, the KSTABLE=0 mode or the KSTABLE=1 mode, is used. In the example of the M-117 bomb trajectory simulation, interference loads did not change much for intermediate time steps. This was probably due to the high weight and

good stability of the bomb causing small pitch oscillations at these intermediate time steps. This may not be the case, however, for unstable or lighter weight stores, so trajectory sensitivity studies should be run, using both computational modes, at extreme Mach numbers and angles of attack. A comparison of trajectories calculated from each mode should enable the determination of the suitability of the time-saving KSTABLE=1 mode for the aircraft/store under consideration.

Appendix B

User's Guide to the Computer Program

Most of the inputs to the computer program describe the aircraft geometry, store loading, coefficients, and parameters to determine the number of flow singularities used to represent the interference flow field as seen by the store. These items are input exactly as described by Fernandes (Ref 3:26-47) and will not be repeated here. The only change from the original Fernandes inputs is his control parameter for run stacking, IGO. This final Fernandes input is eliminated altogether for the present computer program.

The remaining inputs required by the present computer program will now be presented.

CARD 1 (after Fernandes inputs) consists of four control parameters input in format 415.

KSTABLE is the computational mode parameter discussed in Appendix A. KSTABLE=0 causes calculation of interference forces at all time steps; KSTABLE=1 causes calculation of interference forces at major time steps only.

NEJECT is the ejector curve control parameter.

NJECT=0 implies the ejector curve to be input is Force-distance; NEJECT=1 implies Force-time.

NGAM is the index controlling flight path angle.

NGAM=0 causes the trajectory simulation to be free-air; NGAM=1 causes a wind tunnel captive-store simulation.

NCNMAX is the index indicating the maximum number of major time steps allowed during integration.

CARD 2 contains four store parameters input in 4F10.5 format.

SMASS is store mass. (slugs)

RGYRAY is store radius of gyration about y-axis. (feet)

XCG is the store center of gravity measured behind store nose. (feet)

SRMAX is store maximum radius. (feet)

CARD 3 contains these four parameters input in 4E12.4 format.

VINF is aircraft flight velocity. (feet per second)

GAMF is aircraft flight path angle. (degrees)

RHO is air density at simulated altitude. (slugs per cubic foot)

G is acceleration due to gravity. (feet per second per second)

CARD 4 requires these four inputs in format 4E12.4.

CA is the store axial force coefficient, assumed constant throughout the simulation.

VZERO is the store initial translational motion.
Direction is normal to store longitudinal axis.
(feet per second)

VAR(6) is the store initial pitching velocity about
y-axis. Positive is nose up. (radians per
second).

Note that VZERO and VAR(6) should be input as zero unless
ejector simulation is not desired.

CARD 5 contains a one-dimensional array of order
six whose input is 6E12.4.

C(1), C(2), ... C(6) are the coefficients, low-to-high
order, of the fifth order polynomial curve
fit of the ejector Force-time or Force-distance
curves of ejector one.

CARD 6 also contains a one-dimensional array of
order six whose input is 6E12.4.

D(1), D(2), ... D(6) are the coefficients, low-to-high
order, of the fifth order polynomial curve
fit of the ejector Force-time or Force-distance
curves of ejector two.

CARD 7 consists of six parameters input in format
6F10.5.

CMQ is the pitch damping coefficient. (per radian)

XL1 is the ejector one piston location relative
to the store center of gravity, positive
forward of store center of gravity. (feet)

XL2 is the ejector two piston location relative to the store center of gravity, positive forward of store center of gravity. (feet)

EJEND1 is the ejector one cut-off argument. (feet or seconds, depending on NEJECT)

EJEND2 is the ejector two cut-off argument. (feet or seconds, depending on NEJECT)

EJANGL is the angle from the vertical in the aircraft y-z plane, at which each ejector is assumed to act. (degrees)

Note that in this pitch-plane analysis only that component of the ejector force curve in the aircraft z-direction is considered.

CARD 8 contains four time parameters input in format 4E12.4.

DTIME is the initial integration interval. (seconds)

TIMEI is the initial time of trajectory. (seconds)

TIMEF is the final time of trajectory. (seconds)

DTIME2 is the integration interval after both ejectors have stopped. (seconds)

If no ejector is present input DTIME2 equal to DTIME.

If at least one ejector is present, DTIME on the order of 0.02 seconds and DTIME2 around 0.05 seconds have proved to be satisfactory. A TIMEF of 0.5 to 0.7 seconds is satisfactory for all but unusual trajectories.

CARDS 9 and 10 contain six inputs necessary to start any trajectory whose initial time is not equal to zero. These items are output from the computer program and are input in SE14.7 format.

VAR(1) is the x-location of the store center of gravity in the fuselage coordinate system.
(feet)

VAR(2) is the z-location of the store center of gravity in the fuselage coordinate system.
(feet)

VAR(3) is the store pitch angle about the fuselage y-axis. Positive is nose up. (degrees)

VAR(4) is the x-velocity of the store center of gravity in the fuselage coordinate system.
(feet per second)

VAR(5) is the z-velocity of the store center of gravity in the fuselage coordinate system.
(feet per second)

VAR(6) is the store pitch rate about the fuselage y-axis. Positive is nose up. (radians per second)

Appendix C

Computer Program ListingExplanation of Listed Programs

In this appendix are listed the main program and all subroutines with the exception of those 26 subroutines taken from Fernandes (Ref 5). Subroutine ADAMS was taken directly from Goodwin (Ref 6:76). The subroutine FREAIR, listed here as an example, was composed specifically for the M-117 bomb and, of course, will be different for other stores. Subroutine TBLNDC, available from the WPAFB computer library is called from the specific FREAIR listed in this appendix, and is included for completeness.

Changes to the Fernandes Subroutines

Changes were necessary to the Fernandes subroutines to pass the interference coefficients to the main program and to avoid extraneous output.

The Fernandes program has card identifiers, in columns 75 through 79, sequenced in intervals of 10. Cards listed below whose identifiers end in the number "0" are to replace those in the Fernandes subroutines with the same identifiers. All other cards are to be inserted into the Fernandes subroutines in the sequential order implied by their identifiers.

Subroutine INFLUN

| | | |
|---|--------------------|-------|
| COMMON /TPA1/ | END,STOP,ONZP,CMZR | E 85 |
| IF(1PNR .EQ. 0)B92ITE (0,50) ALFH,ALFH | | E 110 |
| IF(1PNR .EQ. 0)B92ITE (0,90) ROLL | | E 130 |
| IF(1PNR .EQ. 0)B92ITE (6,110) X,ONZ,ONY,ONZ,ONY,CL,ONZP,ONZP,ONZP,C | | E 500 |
| 1MYP | | E 595 |

Subroutine DISTURB

```

COMMON /TRAJ/ KROM,KSTOP,CHI,CHI
IF(NUIN .EQ. 0) WRITE (6,100) XN(L),YN(L),ZN(L),XT(L),ALFM(L)
IF(NUIN .EQ. 1) WRITE (6,100) IN,IA,IN,RK,FIM,CIA
IF(NUIN .EQ. 2) WRITE (6,100)
IF(NUIN .NE. 0) RETURN

```

PROGRAM: DROPPIT 7/17/74 CPI=0 TRACE FITN 4.1+P373 08/27/74

PROGRAM: D22011 (INPUT, OUTPUT, RD-CHECK, TAPE-IN=INPUT, TAPE-OUT=OUTPUT)

5 C PROGRAM DOPIT COMPUTES THE 3-DOF SEPARATION TRAJECTORIES OF
C ATMOSPHERE STORES

10 C INTERFERENCE LOADINGS COEFFICIENTS CALCULATED USING METHOD (AND
C SUBROUTINES DUE TO F. DAU FERNANDEZ (SEE NASA-CP-112065-1)

15 C INTEGRATION OF EQUATIONS OF MOTION TAKEN FROM GOODMAN, NIELSEN,
C AND OLESEN (SEE NERL TR 30 AND AFGL-TR-71-811)

20 C CAMES IDENTIFIED IN COLUMNS 73-80 WITH TA XXXX, WHERE "XXXX" IS
C A THREE-DIGIT NUMBER, WERE TAKEN DIRECTLY FROM THE FERNANDEZ MAIN
C PROGRAM

25 C CAMES IDENTIFIED IN COLUMNS 73-80 WITH "TRJXXXX" OR "TRJLXXXX",
C WHERE "XXXX" IS A THREE-DIGIT NUMBER, WERE TAKEN DIRECTLY FROM THE
C GOODMAN MAIN PROGRAM AND SUBROUTINES (SEE NERL TR 30)

```

COMMON /ZPRAJ/ NRUN, KSTOP, CINI, CHI
COMMON /ZC/ P00, PT, ZETA, PM, T00, RFT00, F0
COMMON /ZC1/ X(1), Y(1), ZH(1), XT(1), ALFMR(1)
DT, LDT, DTW(5)
DATA (KAD=0,01745337), (PI=3.14159), (LUN=81), (T00=3)
KSTOP=9
KODE=0
WRITE (6,00)
30      10  CONTINUE
        CALL TITLES (2,0,0)
        CALL TIMEX
        PREAD (5,120) RM
        RFLA=RM*(1.0-DM**2)
        RFLA=SQRT(RFLA)
        WRITE (6,100) RM,RFLA
        IF (RM.LE.1.0) GO TO 70
        CALL AIRCFT
        CALL TIMEX
        CONTINUE
        IF (L00.LE.0.2) GO TO 30
        CALL TITLES (0,2,0)
        CALL STORE
40      20  PREAD(5,110)NTL
        CALL TITLES(0,0,0)
        PREAD(5,120)YH(1),YH(1),ZH(1),XT(1),ALFMR(1)
        PREAD(5,120)ALF,TH,TA,TR
        PREAD(5,120)ALFW(1)
        CALL TITLES(1,1,1)
        WRITE(6,130)RM
        IF(RM.LT.0.0) CALL THREAD(ALFW(1),KODE,KTABLE)
        CALL HISTORIC(P,TA,TR)
        IWF=0
50      30  CALL TIMEX
        CALL INCLINALFW(1),ALFW(1),YT(1),TR
        CALL TIMEX
        CALL THREAD(CM, KTABLE)

```

PROGRAM DROPIIT 74/74 OPT=0 TRACE

FTN 4.14P373 06/27/74

```

              TICKSTOP .EQ. 11STOP
              IPRINT=1000
60          GO TO 35
70          WRITE (6,150)                                     A 710
60          CALL EXIT                                     A 720
C
C          -END STOPED (MAIN PROGRAM)
65          C
C
90          FORMAT (1H1,58'THIS PROGRAM PREDICTS AND INTERFERENCE ON AIRCRAFT A 730
1  STOPS, //154' METERS CALCULATED AND PROGRAMMED BY F. DANI FERNANDEZ) A 730
70          100  FORMAT (1H0,52'HACH NUMBER:,F6.3,5X,FM0.1A,17.4)   A 800
110  FORMAT (7T150)                                     A 810
120  FORMAT (7F10.6)                                     A 820
130  FORMAT (1H0,12'HACH NUMBER:,F6.3,5X,11HRESULTS FOR) A 830
140  FORMAT (200,10*END OF RUN,5Y12)                   A 840
75          150  FORMAT (1H0,23'INPUT ERROR, BK OR NALF)       A 850
              END                                         A 850-

```


SUBROUTINE TRREAD 74774 CDT=0 TRACE FIN 4.1 EP273 03/27/74
 READ(1,101)P1,X,Y,Z,VS1,VS2,PS1,PS2
 WRITE(6,102)P1,X,Y,Z,VS1,VS2,PS1,PS2
 60 140 FORMAT(//,1H0, 101)P1,X,Y,Z,VS1,VS2,PS1,PS2
 1 * STORE ON READING 101 FEET = 1,101.4,/,
 2 * 101.4 FEET TO DEGREES = 1,101.4,/,
 3 * SIGN OF ANGLES OF EJECTION IN FEET = 1,101.4
 VS1=VS1*101.4
 VS2=VS2*101.4
 PS1=PS1*101.4
 PS2=PS2*101.4
 65 10 FORMATTED(10.5)
 READ(1,400) VINT,OMG,PHI,G
 WRITE(6,401) VINT,OMG,PHI,G
 READ(1,401) GCO,VZERO,VANGL
 WRITE(1,402) GCO
 70 140 FORMATTED(10.5)
 READ(1,401)X1,Y1,Z1,EJEND1,EJEND2,EJANGL
 EJEND1=SEC(EJANGL/PI)
 WRITE(6,150)
 75 150 FORMAT(//,* EJECTOR ONE COEFFICIENTS = *,0(1)E12.4))
 WRITE(6,160)D
 160 FORMAT(* EJECTOR TWO COEFFICIENTS = *,0(1)E12.4))
 WRITE(6,170)EJOMG,EJEND2
 170 FORMAT(//,* EJECTOR ONE CUT-OFF ARGUMENT = *,F10.4,
 1,* EJECTOR TWO CUT-OFF ARGUMENT = *,F10.4)
 80 180 WRITE(6,181)EJANGL
 180 FORMAT(* EJECTOR ANGLE IN DEGREES = 1,F10.4)
 810 190 WRITE(6,400) GCO,VZERO,VANGL
 810 200 VAR(1)=ALPHA(1)
 810 210 VAR(3)=SIN(HSTP)/RAD
 810 220 VAR(1)=XH(1)
 810 230 VAR(4)=VZERO*SIN(VAR(3))
 810 240 VAR(5)=VZERO*CCS(VAR(3))
 810 250 INT(VAR(3))
 810 260 READ(1,405) DTIME,TIME1,TIME2
 810 270 NEG=6
 810 280 DTIME=DTIME
 810 290 TIME1=TIME1
 810 300 TIME2=TIME2
 810 310 VAR(2)
 810 320 IF ((TIME1.LT.0.01) GO TO 870
 810 330 READ(1,605) VAR
 810 340 VAR(3)=VAR(3)/RAD
 810 350 XH(1)=VAR(1)
 810 360 ZH(1)=VAR(2)
 810 370 ALPH(1)=VAR(3)*RAD
 810 380 NOTFE=0
 810 390 GO TO 872
 810 400 DTIME=DTIME
 810 410 EINAC1=100.
 810 420 FJEND02=100.
 810 430 NOTFE0=1
 810 440 GO TO 1,6
 810 450 C(1)=0.
 810 460 D(1)=0.
 810 470 CONTINUE
 810 480 CALL ACAMS(DTIME,DTIME,VAR,DVAR,INFO,NOTFE,TIME1)
 810 490 HOUT=0

| SUBROUTINE | | TRACED | 74/74 | OPT=0 | TRACE | FTN 4.3+P573 | GP/27/74 |
|------------|-----|---|-------|-------|-------|--------------|----------|
| 115 | | | | | | | |
| | 672 | RETURN | | | | | |
| | | CALL ADAMCUTIME,DDTBLK,VIN,DMAP,DRQ,NDITC,TINE1 | | | | | |
| | | ROUTE1 | | | | | TPJA677 |
| | | REFARFDP1(SRMAX) | | | | | TPJA678 |
| | | REFLGH(SRMAX) | | | | | TPJA679 |
| 120 | | VTEG=VTEG+CRG(GAME/RAD) | | | | | TPJA680 |
| | | VISGE=VISGE+CRG(GAME/RAD) | | | | | TPJA681 |
| | | CONVE=CONVE+CRG(GAME/MASS) | | | | | TPJA682 |
| | | CONDEN=CONDEN+CRG(GAME/MASS) | | | | | TPJA683 |
| | 869 | WRITE (6,436) REPAR,REFLGH | | | | | TPJA693 |
| 125 | | CALPH=CRS((ANGATK/RAD)) | | | | | TPJA700 |
| | | CALPESIN=CRS((ANGATK/RAD)) | | | | | TPJA701 |
| | | VIN=VIN+(11*CALPESIN)+(2*CALP) | | | | | TPJA702 |
| | | ZIN=VIN+(2*CALPESIN)+(11*CALP) | | | | | TPJA703 |
| 130 | | CGFAF=CGS((ANGATK/RAD)) | | | | | TPJA704 |
| | | SGAF=SGS((ANGATK/RAD)) | | | | | TPJA705 |
| | | VICAF=VIN+(11*CGFAF)+(2*SGAF) | | | | | TPJA706 |
| | | VISCAF=VIN+(2*CGFAF)+(11*SGAF) | | | | | TPJA707 |
| | C | CALCULATE FORCES AND MOMENTS | | | | | TPJA708 |
| 135 | C | KODE=0 | | | | | TPJA709 |
| | | RETURN | | | | | TPJA710 |
| | | END | | | | | |

SUBROUTINE TRAJEC 74/74 CPU=0 TRACE . FTN 4.1+P373 08/27/74

SUBROUTINE TRAJECK(XMAX,KSTABLE)

SUBROUTINE EJECTP

74/74

OPT=0 TRACE

PTR 4.1+P373

08/27/76

```
      SUBROUTINE EJECTP(C,APG,FZ,FAC)
      DIMENSION C(16)
      FZ=C(1)
      5    DO 10 I=2,6
      10   TEMP=FZ**((I-1))
      FZ=FZ*C(11)*TEMP
      CONTINUE
      FZ=FZ*FAC
      RETURN
      END
```

SUBROUTINE FREATR 74774 OPTED TRACE FTN 4.1+P373 08/27/74

```

      SUBROUTINE FREATR(THETA,YMACH,CH,CM)
      DIMENSION TRYTH(1),TRYCH(761),TMCH(761),NA(2),XA(2)
      DATA NA,K,M/4,-9,1,3/
      DATA TMCH/1.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,
      5      0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,
      DATA TRYCH/0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,
      10      0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,0.,
      1      0.,0.12,0.24,0.36,0.48,0.6,0.72,0.84,0.96,1.08,1.2,1.16,
      2      0.,0.14,0.28,0.41,0.55,0.69,0.83,0.97,1.11,1.25,1.29,
      3      0.,0.16,0.32,0.48,0.64,0.8,0.96,1.12,1.28,1.44,1.61/
      DATA TRYCH/1.,-0.17,-0.34,-0.51,-0.68,-0.85,-1.02,-1.19,-1.36,-1.53,-1.7,
      10      1      0.,-0.17,-0.34,-0.51,-0.68,-0.85,-1.02,-1.19,-1.36,-1.53,-1.7,
      2      0.,-0.19,-0.38,-0.57,-0.76,-0.95,-1.14,-1.33,-1.52,-1.71,-1.9,
      3      0.,-0.19,-0.41,-0.62,-0.83,-1.03,-1.23,-1.43,-1.63,-1.83,-2.01/
      YA(1)=YMACH
      YA(2)=ABS(THETA)
      CH=TMCH(1),YMACH,TRYTH,NA,YA)
      CM=TMCH(1),TRYCH,TRYTH,NA,YA)
      CH*THETA/YA(2)
      CM*CH*THETA/YA(2)
      RETURN
      20      END

```

FUNCTION TBLNDCG(NEQTR, NO, Z, Y, NR, XA)
 DIMENSION X(1), NR(1), Y(1), LS(5), NRQ(21), RACTD(5), NGROUP(5),
 ITOT(1), Z(1)
 IF (NO.LE.6) GO TO 1
 PRINT 2
 2 FORMAT(1H, 10X, 24HNEQTR, 1H CONDITION-TRND ROUTINE)
 PRINT 3, NR
 3 FORMAT(1H, 20HINVERSION OF TABLE LOOK-UP (NR=,
 112,1H) IS GREATER THAN 6)
 10 1 L1=2
 LF=NR-1
 DO 3 I=1,LF
 L2=L1+NR(I)-2
 FOUND=0.
 DO 4 J=L1,L2
 IF (Y(J).GT.Y(J-1)) GO TO 6
 PRINT 2
 PRINT 40, I
 40 FORMAT(1H, 23HINDEPENDENT VECTOR NO. ,12,20H IS NOT IN ASCENDING
 27H ORDER.)
 CALL SYSTEM(200,0)
 STOP
 C IF (NO.NE.0.) GO TO 4
 IF (X(1)-X(J-1)).LT.0.
 25 5 IF (J.LT.1) GO TO 10
 IF (NO).LT.80.0) GO TO 37
 FOUND=1.
 NS(I)=L1-1
 GO TO 4
 30 10 FOUND=1.
 NS(I)=J-2
 4 CONTINUE
 IF (FOUND).NE.1
 12 IF (XA(I)-Y(L2)).LT.13.13/14
 35 14 IF (INT(Y).NE.0) GO TO 13
 37 PRINT 2
 PRINT 41, I
 41 FORMAT(1H, 23HINDEPENDENT PARAMETER NO. ,12,17H IS OUT OF RANGE
 24H OF CORRESPONDING INDEPENDENT VECTOR AND K=0.)
 CALL SYSTEM(200,0)
 STOP
 13 NS(I)=L2-1
 14 L1=L2+2
 3 CONTINUE
 DO 15 I=1,LF
 K=NS(I)
 RACTD(I)=(XA(I)-X(K))/X(K+1)-X(K))
 45 15 CONTINUE
 NSPQDP(1)=NS(I)
 NSQDP(1)=1
 DO 16 I=2,LF
 NGROUP(I)=NS(I)-NSQDP(1)
 NSQDP=NSQDP+1
 55 16 CONTINUE
 C IN NGROUP(I) IS THE SUBSCRIPT OF THE JTH VARIABLE SUCH
 ITOT(LF)=1
 DO 17 I=2,LF

| FUNCTION | TELNO | 74774 | CP1=0 | TRACE | FTN 4.1 #373 | 08/27/74 |
|----------|-------|--|-------|-------|--------------|----------|
| | | | | | | |
| | | J=LF-I+1 | | | TELNO108 | |
| | | I101(J)=ITOT(J+1)*M(J+1) | | | TELNO109 | |
| 60 | | 17 CONTINUE | | | TELNO110 | |
| | | KF=2**LF | | | TELNO113 | |
| | | MH=2 | | | TELNO114 | |
| | | DO 22 I=1,KF,2 | | | TELNO115 | |
| | | IFIRST=1 | | | TELNO116 | |
| 65 | | MH=MH+2 | | | TELNO117 | |
| | | DO 21 J=1,LF | | | TELNO118 | |
| | | MH=MH*(J-1) | | | TELNO119 | |
| | | IF(AND(MH,KF),EQ,0)GO TO 16 | | | TELNO120 | |
| | | THOU=1*HOU2(J)+1 | | | TELNO121 | |
| 70 | | GO TO 19 | | | TELNO122 | |
| | | 18 THOU=HOU2(J) | | | TELNO123 | |
| | | 19 IFIRST=IFIRST+(IMEN-1)*ITOT(J) | | | TELNO124 | |
| | | 21 CONTINUE | | | TELNO125 | |
| | | ISEC=IFIRST+ITOT(J) | | | TELNO126 | |
| 75 | | MJ(I)=7(IFIRST) | | | TELNO127 | |
| | | MJ(I+1)=7(ISEC) | | | TELNO128 | |
| | | 22 CONTINUE | | | TELNO129 | |
| | | DO 24 I=1,LF | | | TELNO130 | |
| | | KF=KF/2 | | | TELNO131 | |
| 80 | | DO 24 J=1,KF | | | TELNO132 | |
| | | 24 HJ(I,I)=HJ(2*J-1)+(MJ(2*J)-MJ(2*J-1)*FAT10(I) | | | TELNO133 | |
| | | T21(I,I)=HJ(I,I) | | | TELNO134 | |
| | | RETURN | | | TELNO135 | |
| | | END | | | TELNO136 | |

SUBROUTINE ADAMS 7474 CPTAC TRACE F77 4.1+P373 09/27/74
 SUBROUTINE ADAMS (X0,Y0,XY,NEQ,NCODE,SD)
 ADAMS INFORMATION ROUTINE
 SUBROUTINE ADAMS TAKEN FROM GOLDBURG (1968) NEAR TR 321
 DIMENSION X(0),XY(0)
 DATA X0/0.0/,Y0/0.0/,XY(0)/0.0/,NCODE/0/,SD/0.0/
 DO 10 X(0)=X0,Y(0)=Y0,XY(0)=XY(0),NCODE=0,SD=0.0
 10 X(1)=X(0)+H,Y(1)=Y(0)+K1,XY(1)=XY(0)+K2,NCODE=1,SD=1.0
 DATA H/0.01/,K1/0.01/,K2/0.01/
 DO 150 H=H/2.0,DY=0.0,XY(0)=X(0),X(1)=X(0),Y(1)=Y(0),
 150 XY(1)=XY(0),NCODE=0
 C C START BY RUNGEBUTTA
 C C
 100 H=DS+DS
 1101 I=1
 DO 121 I=1,NEQ
 121 Y(I)=Y(I)
 122 S=0.0
 123 NDIF=0.0
 RETURN
 200 DO 201 I=1,NEQ
 201 Y(I)=Y(I)
 202 S=0.0
 203 NDIF=0.0
 204 TEMP=TEMP+Y(I)
 205 Y(I)=Y(I)+0.5*TEMP
 206 E(I)=E(I)+2.0*TEMP
 207 NDIF=NDIF+4
 RETURN
 300 DO 301 I=1,NEQ
 301 E(I)=E(I)
 302 TEMP=TEMP+Y(I)
 303 E(I)=E(I)+2.0*TEMP
 304 NDIF=NDIF+4
 RETURN
 400 DO 401 I=1,NEQ
 401 Y(I)=Y(I)
 402 E(I)=E(I)+2.0*TEMP
 403 S=0.0
 404 NDIF=NDIF+5
 RETURN
 500 DO 501 I=1,NEQ
 501 Y(I)=Y(I)+E(I)*0.166666667+Y(I)
 502 DO 503 I=1,NEQ
 503 Y(I)=Y(I)
 504 S=0.0
 505 NDIF=NDIF+4
 506 TEMP=TEMP+Y(I)
 507 E(I)=E(I)+2.0*TEMP
 508 NDIF=NDIF+4
 509 K1=K1+H
 510 K2=K2+H
 511 K3=K3+H
 512 K4=K4+H
 513 K5=K5+H
 514 K6=K6+H
 515 K7=K7+H
 516 K8=K8+H
 517 K9=K9+H
 518 K10=K10+H
 519 K11=K11+H
 520 K12=K12+H
 521 K13=K13+H
 522 K14=K14+H
 523 K15=K15+H
 524 K16=K16+H
 525 K17=K17+H
 526 K18=K18+H
 527 K19=K19+H
 528 K20=K20+H
 529 K21=K21+H
 530 K22=K22+H
 531 K23=K23+H
 532 K24=K24+H
 533 K25=K25+H
 534 K26=K26+H
 535 K27=K27+H
 536 K28=K28+H
 537 K29=K29+H
 538 K30=K30+H
 539 K31=K31+H
 540 K32=K32+H
 541 K33=K33+H
 542 K34=K34+H
 543 K35=K35+H
 544 K36=K36+H
 545 K37=K37+H
 546 K38=K38+H
 547 K39=K39+H
 548 K40=K40+H
 549 K41=K41+H
 550 K42=K42+H
 551 K43=K43+H
 552 K44=K44+H
 553 K45=K45+H
 554 K46=K46+H
 555 K47=K47+H
 556 K48=K48+H
 557 K49=K49+H
 558 K50=K50+H
 559 K51=K51+H
 560 K52=K52+H
 561 K53=K53+H
 562 K54=K54+H
 563 K55=K55+H
 564 K56=K56+H
 565 K57=K57+H
 566 K58=K58+H
 567 K59=K59+H
 568 K60=K60+H
 569 K61=K61+H
 570 K62=K62+H
 571 K63=K63+H
 572 K64=K64+H
 573 K65=K65+H
 574 K66=K66+H
 575 K67=K67+H
 576 K68=K68+H
 577 K69=K69+H
 578 K70=K70+H
 579 K71=K71+H
 580 K72=K72+H
 581 K73=K73+H
 582 K74=K74+H
 583 K75=K75+H
 584 K76=K76+H
 585 K77=K77+H
 586 K78=K78+H
 587 K79=K79+H
 588 K80=K80+H
 589 K81=K81+H
 590 K82=K82+H
 591 K83=K83+H
 592 K84=K84+H
 593 K85=K85+H
 594 K86=K86+H
 595 K87=K87+H
 596 K88=K88+H
 597 K89=K89+H
 598 K90=K90+H
 599 K91=K91+H
 600 K92=K92+H
 601 K93=K93+H
 602 K94=K94+H
 603 K95=K95+H
 604 K96=K96+H
 605 K97=K97+H
 606 K98=K98+H
 607 K99=K99+H
 608 K100=K100+H
 609 K101=K101+H
 610 K102=K102+H
 611 K103=K103+H
 612 K104=K104+H
 613 K105=K105+H
 614 K106=K106+H
 615 K107=K107+H
 616 K108=K108+H
 617 K109=K109+H
 618 K110=K110+H
 619 K111=K111+H
 620 K112=K112+H
 621 K113=K113+H
 622 K114=K114+H
 623 K115=K115+H
 624 K116=K116+H
 625 K117=K117+H
 626 K118=K118+H
 627 K119=K119+H
 628 K120=K120+H
 629 K121=K121+H
 630 K122=K122+H
 631 K123=K123+H
 632 K124=K124+H
 633 K125=K125+H
 634 K126=K126+H
 635 K127=K127+H
 636 K128=K128+H
 637 K129=K129+H
 638 K130=K130+H
 639 K131=K131+H
 640 K132=K132+H
 641 K133=K133+H
 642 K134=K134+H
 643 K135=K135+H
 644 K136=K136+H
 645 K137=K137+H
 646 K138=K138+H
 647 K139=K139+H
 648 K140=K140+H
 649 K141=K141+H
 650 K142=K142+H
 651 K143=K143+H
 652 K144=K144+H
 653 K145=K145+H
 654 K146=K146+H
 655 K147=K147+H
 656 K148=K148+H
 657 K149=K149+H
 658 K150=K150+H
 659 K151=K151+H
 660 K152=K152+H
 661 K153=K153+H
 662 K154=K154+H
 663 K155=K155+H
 664 K156=K156+H
 665 K157=K157+H
 666 K158=K158+H
 667 K159=K159+H
 668 K160=K160+H
 669 K161=K161+H
 670 K162=K162+H
 671 K163=K163+H
 672 K164=K164+H
 673 K165=K165+H
 674 K166=K166+H
 675 K167=K167+H
 676 K168=K168+H
 677 K169=K169+H
 678 K170=K170+H
 679 K171=K171+H
 680 K172=K172+H
 681 K173=K173+H
 682 K174=K174+H
 683 K175=K175+H
 684 K176=K176+H
 685 K177=K177+H
 686 K178=K178+H
 687 K179=K179+H
 688 K180=K180+H
 689 K181=K181+H
 690 K182=K182+H
 691 K183=K183+H
 692 K184=K184+H
 693 K185=K185+H
 694 K186=K186+H
 695 K187=K187+H
 696 K188=K188+H
 697 K189=K189+H
 698 K190=K190+H
 699 K191=K191+H
 700 K192=K192+H
 701 K193=K193+H
 702 K194=K194+H
 703 K195=K195+H
 704 K196=K196+H
 705 K197=K197+H
 706 K198=K198+H
 707 K199=K199+H
 708 K200=K200+H
 709 K201=K201+H
 710 K202=K202+H
 711 K203=K203+H
 712 K204=K204+H
 713 K205=K205+H
 714 K206=K206+H
 715 K207=K207+H
 716 K208=K208+H
 717 K209=K209+H
 718 K210=K210+H
 719 K211=K211+H
 720 K212=K212+H
 721 K213=K213+H
 722 K214=K214+H
 723 K215=K215+H
 724 K216=K216+H
 725 K217=K217+H
 726 K218=K218+H
 727 K219=K219+H
 728 K220=K220+H
 729 K221=K221+H
 730 K222=K222+H
 731 K223=K223+H
 732 K224=K224+H
 733 K225=K225+H
 734 K226=K226+H
 735 K227=K227+H
 736 K228=K228+H
 737 K229=K229+H
 738 K230=K230+H
 739 K231=K231+H
 740 K232=K232+H
 741 K233=K233+H
 742 K234=K234+H
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 746 K238=K238+H
 747 K239=K239+H
 748 K240=K240+H
 749 K241=K241+H
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 752 K244=K244+H
 753 K245=K245+H
 754 K246=K246+H
 755 K247=K247+H
 756 K248=K248+H
 757 K249=K249+H
 758 K250=K250+H
 759 K251=K251+H
 760 K252=K252+H
 761 K253=K253+H
 762 K254=K254+H
 763 K255=K255+H
 764 K256=K256+H
 765 K257=K257+H
 766 K258=K258+H
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 768 K260=K260+H
 769 K261=K261+H
 770 K262=K262+H
 771 K263=K263+H
 772 K264=K264+H
 773 K265=K265+H
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 775 K267=K267+H
 776 K268=K268+H
 777 K269=K269+H
 778 K270=K270+H
 779 K271=K271+H
 780 K272=K272+H
 781 K273=K273+H
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 791 K283=K283+H
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 797 K289=K289+H
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 799 K291=K291+H
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 801 K293=K293+H
 802 K294=K294+H
 803 K295=K295+H
 804 K296=K296+H
 805 K297=K297+H
 806 K298=K298+H
 807 K299=K299+H
 808 K300=K300+H
 809 K301=K301+H
 810 K302=K302+H
 811 K303=K303+H
 812 K304=K304+H
 813 K305=K305+H
 814 K306=K306+H
 815 K307=K307+H
 816 K308=K308+H
 817 K309=K309+H
 818 K310=K310+H
 819 K311=K311+H
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 821 K313=K313+H
 822 K314=K314+H
 823 K315=K315+H
 824 K316=K316+H
 825 K317=K317+H
 826 K318=K318+H
 827 K319=K319+H
 828 K320=K320+H
 829 K321=K321+H
 830 K322=K322+H
 831 K323=K323+H
 832 K324=K324+H
 833 K325=K325+H
 834 K326=K326+H
 835 K327=K327+H
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 838 K330=K330+H
 839 K331=K331+H
 840 K332=K332+H
 841 K333=K333+H
 842 K334=K334+H
 843 K335=K335+H
 844 K336=K336+H
 845 K337=K337+H
 846 K338=K338+H
 847 K339=K339+H
 848 K340=K340+H
 849 K341=K341+H
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 851 K343=K343+H
 852 K344=K344+H
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 856 K348=K348+H
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 865 K357=K357+H
 866 K358=K358+H
 867 K359=K359+H
 868 K360=K360+H
 869 K361=K361+H
 870 K362=K362+H
 871 K363=K363+H
 872 K364=K364+H
 873 K365=K365+H
 874 K366=K366+H
 875 K367=K367+H
 876 K368=K368+H
 877 K369=K369+H
 878 K370=K370+H
 879 K371=K371+H
 880 K372=K372+H
 881 K373=K373+H
 882 K374=K374+H
 883 K375=K375+H
 884 K376=K376+H
 885 K377=K377+H
 886 K378=K378+H
 887 K379=K379+H
 888 K380=K380+H
 889 K381=K381+H
 890 K382=K382+H
 891 K383=K383+H
 892 K384=K384+H
 893 K385=K385+H
 894 K386=K386+H
 895 K387=K387+H
 896 K388=K388+H
 897 K389=K389+H
 898 K390=K390+H
 899 K391=K391+H
 900 K392=K392+H
 901 K393=K393+H
 902 K394=K394+H
 903 K395=K395+H
 904 K396=K396+H
 905 K397=K397+H
 906 K398=K398+H
 907 K399=K399+H
 908 K400=K400+H
 909 K401=K401+H
 910 K402=K402+H
 911 K403=K403+H
 912 K404=K404+H
 913 K405=K405+H
 914 K406=K406+H
 915 K407=K407+H
 916 K408=K408+H
 917 K409=K409+H
 918 K410=K410+H
 919 K411=K411+H
 920 K412=K412+H
 921 K413=K413+H
 922 K414=K414+H
 923 K415=K415+H
 924 K416=K416+H
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 926 K418=K418+H
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 930 K422=K422+H
 931 K423=K423+H
 932 K424=K424+H
 933 K425=K425+H
 934 K426=K426+H
 935 K427=K427+H
 936 K428=K428+H
 937 K429=K429+H
 938 K430=K430+H
 939 K431=K431+H
 940 K432=K432+H
 941 K433=K433+H
 942 K434=K434+H
 943 K435=K435+H
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 972 K464=K464+H
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 978 K470=K470+H
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 989 K481=K481+H
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 997 K489=K489+H
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 1092 K584=K584+H
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 1095 K587=K587+H
 1096 K588=K588+H
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 1105 K597=K597+H
 1106 K598=K598+H
 1107 K599=K599+H
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 1109 K601=K601+H
 1110 K602=K602+H
 1111 K603=K603+H
 1112 K604=K604+H
 1113 K605=K605+H
 1114 K606=K606+H
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 1116 K608=K608+H
 1117 K609=K609+H
 1118 K610=K610+H
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 1122 K614=K614+H
 1123 K615=K615+H
 1124 K616=K616+H
 1125 K617=K617+H
 1126 K618=K618+H
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 1128 K620=K620+H
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 1141 K633=K633+H
 1142 K634=K634+H
 1143 K635=K635+H
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 1146 K638=K638+H
 1147 K639=K639+H
 1148 K640=K640+H
 1149 K641=K641+H
 1150 K642=K642+H
 115

| SUBROUTINE | ADAMS | 74/74 | 0P1=0 | TRACE | FIN 4.1+P373 | 08/27/74 |
|------------|-------|-----------------------------------|----------------|-------|--|----------|
| | | | | | 1 IT IS ADDED TO INDEPENDENT VARIABLE, NO CHANGE RESULTS.) | |
| | | | | | RETURN | |
| 60 | | 61.5 | JR=2 | | TPJL 53 | TPJL 54 |
| | | 5505 | DO 556 I=1,NEQ | | TPJL 55 | TPJL 56 |
| | | 556 | Y(I)=Y1(I) | | TPJL 57 | TPJL 58 |
| | | | GO TO 102 | | TPJL 59 | TPJL 60 |
| 65 | | 507 | DO 508 I=1,NEQ | | TPJL 61 | TPJL 62 |
| | | | DY1(I)=DY3(I) | | TPJL 63 | TPJL 64 |
| | | 508 | Y2(I)=Y(I) | | TPJL 65 | TPJL 66 |
| | | | JR=3 | | TPJL 67 | TPJL 68 |
| | | | GO TO 103 | | TPJL 69 | TPJL 70 |
| | | 509 | S=S-H | | TPJL 71 | TPJL 72 |
| 70 | C | | | | TPJL 73 | TPJL 74 |
| | C | | | | TPJL 75 | TPJL 76 |
| | C | | | | TPJL 77 | TPJL 78 |
| | C | | | | TPJL 79 | TPJL 80 |
| | C | | | | TPJL 81 | TPJL 82 |
| 75 | | 5509 | TEST=0.0 | | TPJL 83 | TPJL 84 |
| | | | DO 510 I=1,NEQ | | TPJL 85 | TPJL 86 |
| | | VX4=Y(I) | | | TPJL 87 | TPJL 88 |
| | | TEMP=APG(Y3(I)-VX4) | | | TPJL 89 | TPJL 90 |
| | | TF(TEMP .LE. 0.) GO TO 510 | | | TPJL 91 | TPJL 92 |
| | | VX4=TEMP(VX4) | | | TPJL 93 | TPJL 94 |
| | | TF(VX4 .LE. 0.) GO TO 512 | | | TPJL 95 | TPJL 96 |
| | | TF(APG(Y2(I))) .LE. 0.1 GO TO 512 | | | TPJL 97 | TPJL 98 |
| 80 | C | | | | TPJL 99 | TPJL 100 |
| | C | | | | TPJL 101 | TPJL 102 |
| | C | | | | TPJL 103 | TPJL 104 |
| | C | | | | TPJL 105 | TPJL 106 |
| 85 | | | | | | |
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| 90 | | | | | | |
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| 105 | | | | | | |
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| 110 | | | | | | |
| | | | | | | |
| | | | | | | |

1 IT IS ADDED TO INDEPENDENT VARIABLE, NO CHANGE RESULTS.)

RETURN

61.5 JR=2

5505 DO 556 I=1,NEQ

556 Y(I)=Y1(I)

507 DO 508 I=1,NEQ

DY1(I)=DY3(I)

508 Y2(I)=Y(I)

JR=3

GO TO 103

509 S=S-H

C

ERROR CHECKING

C

5509 TEST=0.0

DO 510 I=1,NEQ

VX4=Y(I)

TEMP=APG(Y3(I)-VX4)

TF(TEMP .LE. 0.) GO TO 510

VX4=TEMP(VX4)

TF(VX4 .LE. 0.) GO TO 512

TF(APG(Y2(I))) .LE. 0.1 GO TO 512

C

CHECK FOR RELATIVE ERROR

C

IF (VX4+TEST-TEMP) 512,511,511

511 TEMP=TEMP/VX4

GO TO 519

C

CHECK FOR ABSOLUTE ERROR

C

512 IF (TEST-TEMP) 514,514,513

513 TEMP=TEMP*PATIC

GO TO 519

C

BOTH TESTS FAIL. HALVF INTEGRATION INTERVAL.

C

514 CONTINUE

515 S=S-H

IF (JR=5) 517,514,516

516 JR=1

GO TO 505

517 DO 518 I=1,NEQ

518 Y3(I)=Y2(I)

GO TO 503

519 IF (TEST-TEMP) 520,510,510

520 TEST=TEMP

510 CONTINUE

C

OUTPUT OF RUNGE-KUTTA

C

IF (JR=4) 521,802,802

521 NOIFC=3

DO 522 I=1,NEQ

PX(I)=Y(I)

PF(I)=CY(I)

| | SUBROUTINE ADAMS | 7474 | OPTAC | TRACE | FIR 4.10P373 | 05/27/74 |
|-----|--|------|-------|-------|--------------|----------|
| 115 | 522 Y(I)=Y2(I) RETURN | | | | TRJL127 | |
| | 550 DO 801 I=1,NEQ | | | | TRJL108 | |
| | Y(I)=PY(I) | | | | TPJL129 | |
| | DY(I)=PY'(I) | | | | TRJL110 | |
| 120 | 601 DY2(I)=GY3(I) | | | | TRJL111 | |
| | JR=4 | | | | TPJL112 | |
| | S=S+H | | | | TPJL113 | |
| | 802 NOIFEQ=3 | | | | TRJL114 | |
| | RETURN | | | | TPJL115 | |
| 125 | 901 IF (JR=5) 103,901,702 | | | | TPJL117 | |
| | 901 CON=0.04166667*H | | | | TPJL118 | |
| | JO=6 | | | | TPJL119 | |
| | 9901 NOIFEQ=5 | | | | TRJL120 | |
| | GO TO 600 | | | | TRJL121 | |
| 130 | 902 JR=5 | | | | TRJL122 | |
| | TEST=FLR | | | | TRJL123 | |
| | GO TO 802 | | | | TRJL124 | |
| | C | | | | TRJL125 | |
| | C ADAMS INTEGRATION | | | | TRJL126 | |
| 135 | C | | | | TRJL127 | |
| | 600 DO 601 I=1,NEQ | | | | TRJL128 | |
| | Y1(I)=Y(I) | | | | TPJL129 | |
| | Y(I)=Y1(I)+CON*(55.0*DY(I)-55.0*DY3(I)+37.0*DY2(I)-9.0*DY1(I)) | | | | TPJL130 | |
| | DY1(I)=PY2(I) | | | | TPJL131 | |
| 140 | DY2(I)=PY3(I) | | | | TPJL132 | |
| | DY3(I)=PY(I) | | | | TPJL133 | |
| | 601 Y3(I)=Y(I) | | | | TPJL134 | |
| | S=S+H | | | | TPJL135 | |
| | NOIFEQ=7 | | | | TPJL136 | |
| 145 | RETURN | | | | TPJL137 | |
| | 700 DO 701 I=3,NEQ | | | | TPJL138 | |
| | 701 Y(I)=Y1(I)+CON*(9.0*DY(I)+19.0*DY3(I)-5.0*DY2(I)+DY1(I)) | | | | TPJL139 | |
| | GO TO 5509 | | | | TPJL140 | |
| | C | | | | TRJL141 | |
| 150 | C TEST FOR BOUNDING OF INTEGRATION INTERVAL | | | | TRJL142 | |
| | C | | | | TRJL143 | |
| | 702 JF (TEST=FLR) 703,9901,9901 | | | | TRJL144 | |
| | 703 H=4.0*H | | | | TRJL145 | |
| | GO TO 1101 | | | | TRJL146 | |
| 155 | END | | | | TRJL147 | |

Vita

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[REDACTED] He attended The Ohio State University from June 1966 [REDACTED] to December 1970, receiving his Bachelor of Science degree in Aeronautical and Astronautical Engineering. In March 1971 he began working at Wright-Patterson Air Force Base, Ohio, in the Airframe Directorate of Systems Engineering, Aeronautical Systems Division. In July 1973 he was given the opportunity to enroll in the Graduate Aeronautical Engineering program at the Air Force Institute of Technology.

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[REDACTED] [REDACTED]

[REDACTED]

This thesis was typed by Jane Manemann.